

Dynamic of Current Sheets and Their Associated Particle Energization

Hui Li (李暉)

PIC studies:

Xiaocan Li, Fan Guo, Kirit Makwana, Bill Daughton

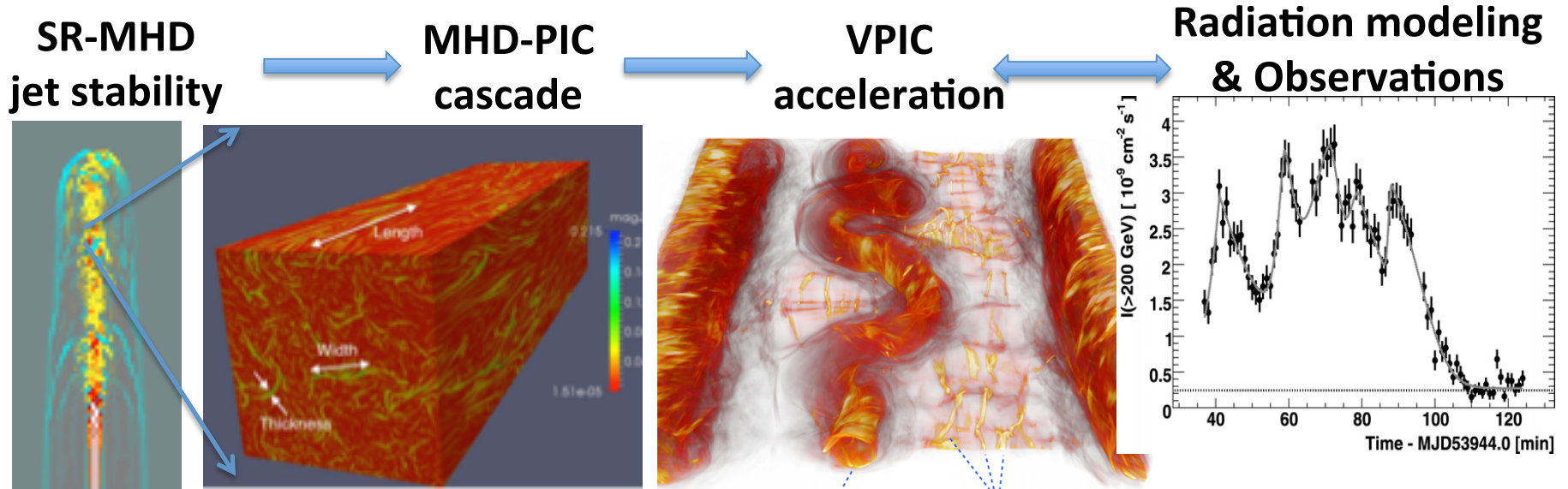
Makwana et al. Phys Plasmas 2015; X. Li et al. ApJL 2015;
X. Li et al. 2016 (in preparation)

MHD studies:

Andrey Beresnyak

Beresnyak & Li, ApJL 2016; Beresnyak & Li 2013 (unpublished);

From Fluid to Kinetics to Radiation to Observations



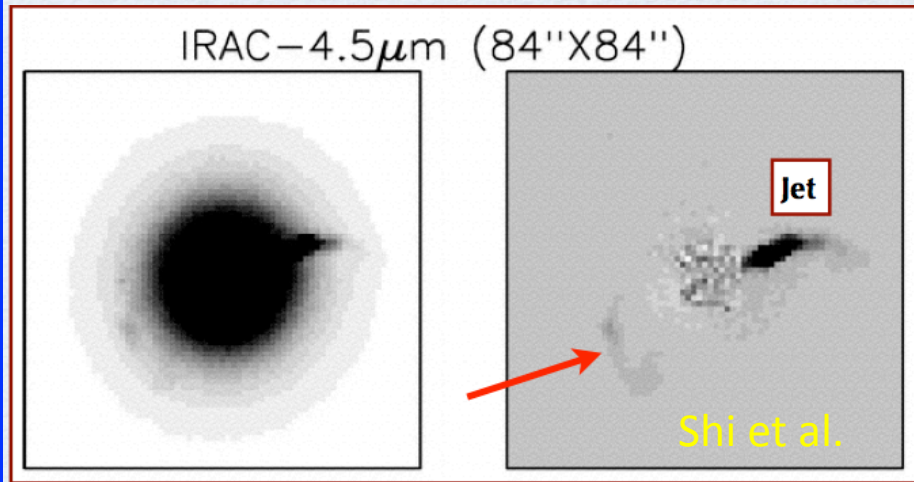
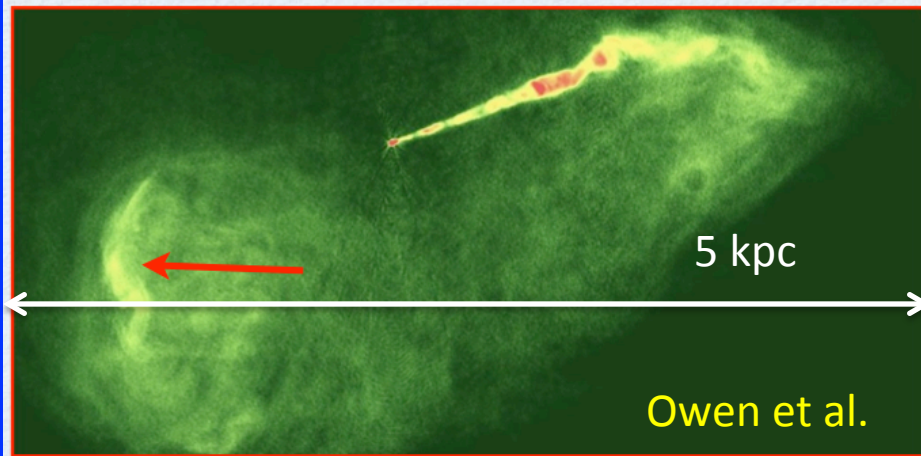
Please check out two posters

Interpret the polarization observations using collision-induced reconnection model
(Deng et al. 2016, ApJL)

MHD-based radiative modeling of polarization signatures of blazar emission

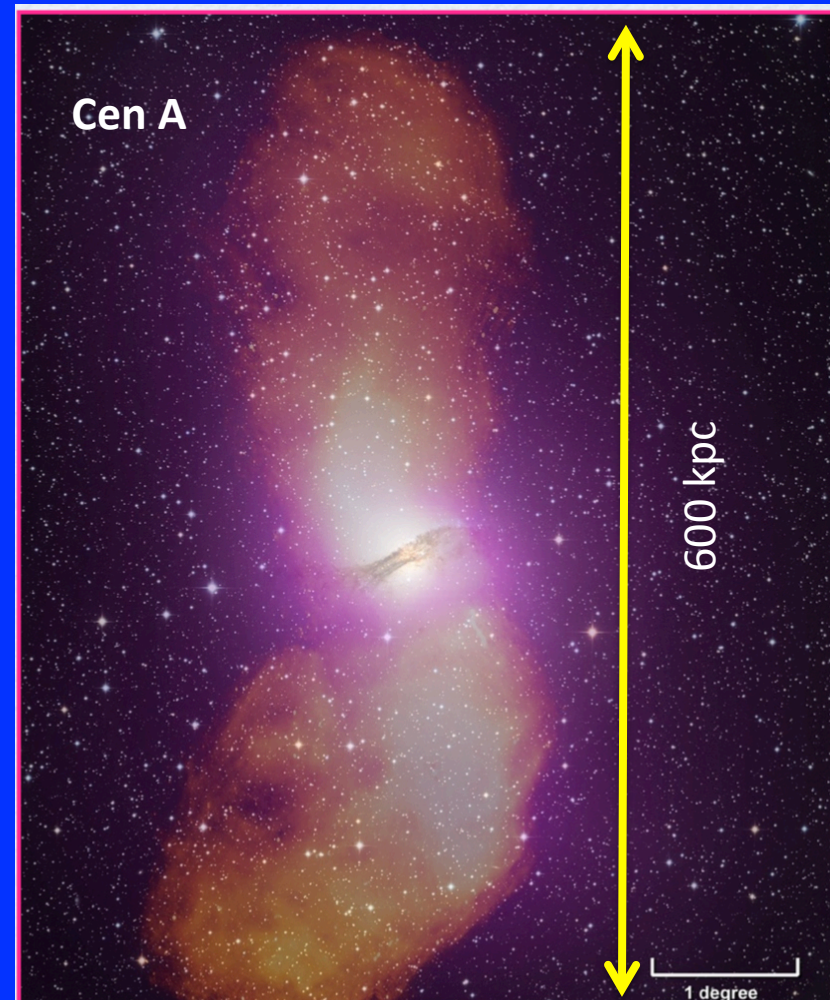
Haocheng Zhang^{1,2}, Hui Li², Wei Deng^{2,3}

In-situ Acceleration and Volumetric



1" = 80 pc @ M87

Slides from J. Eilek



Radio image of giant lobes (orange, Feian etal) overlaid on gamma ray and optical images.

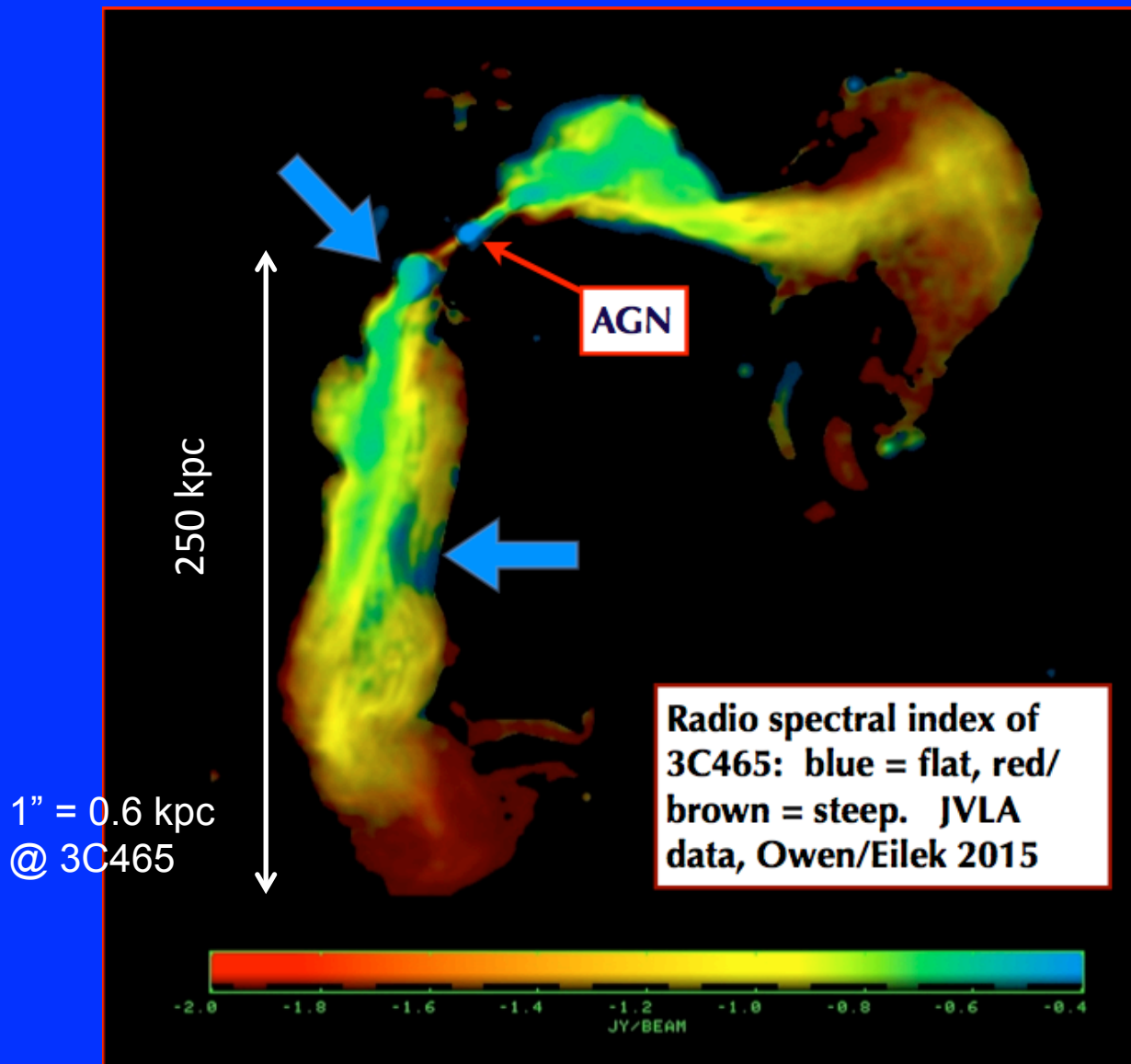
In-situ Acceleration: regions of (radio) Flat Spectra

1) slope:

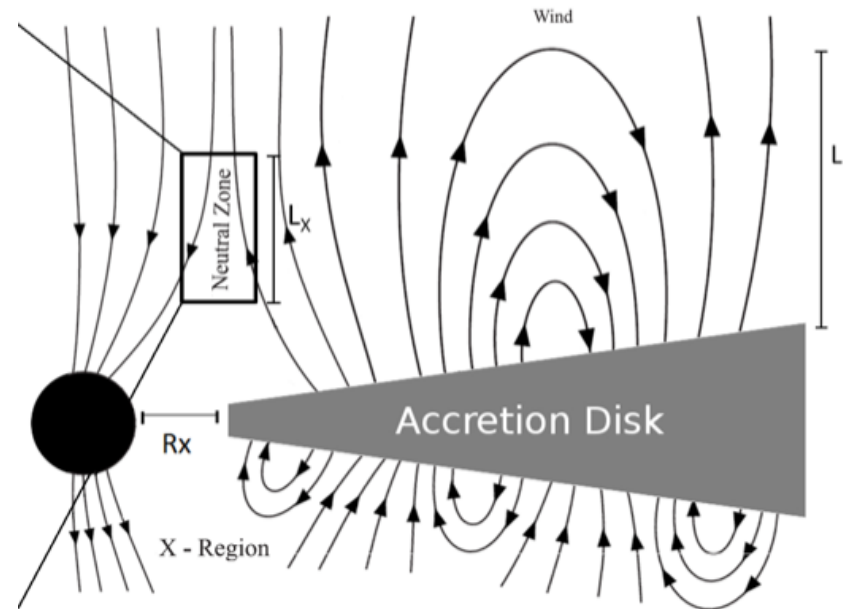
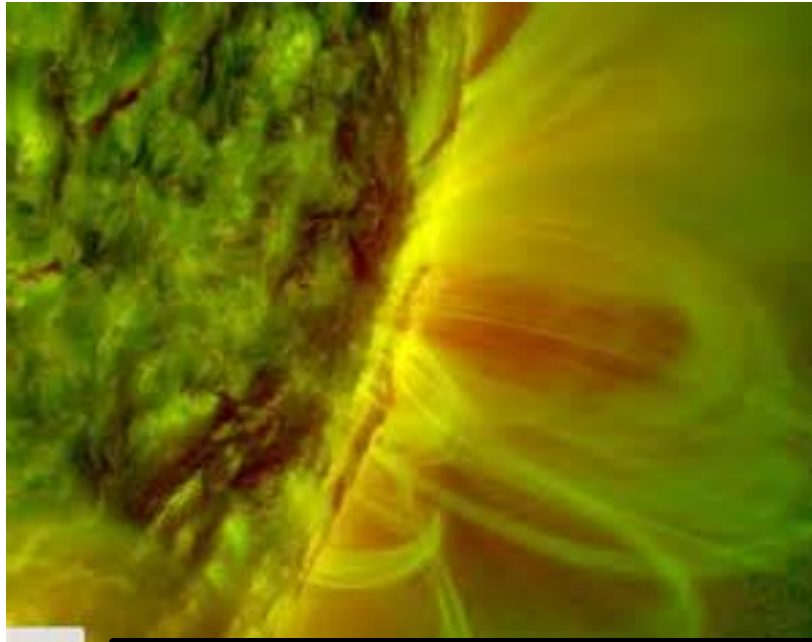
$$\alpha = \frac{\delta - 1}{2}$$

2) spatial:
Need of
in-situ
acceleration

Both
constrain
acceleration
processes.



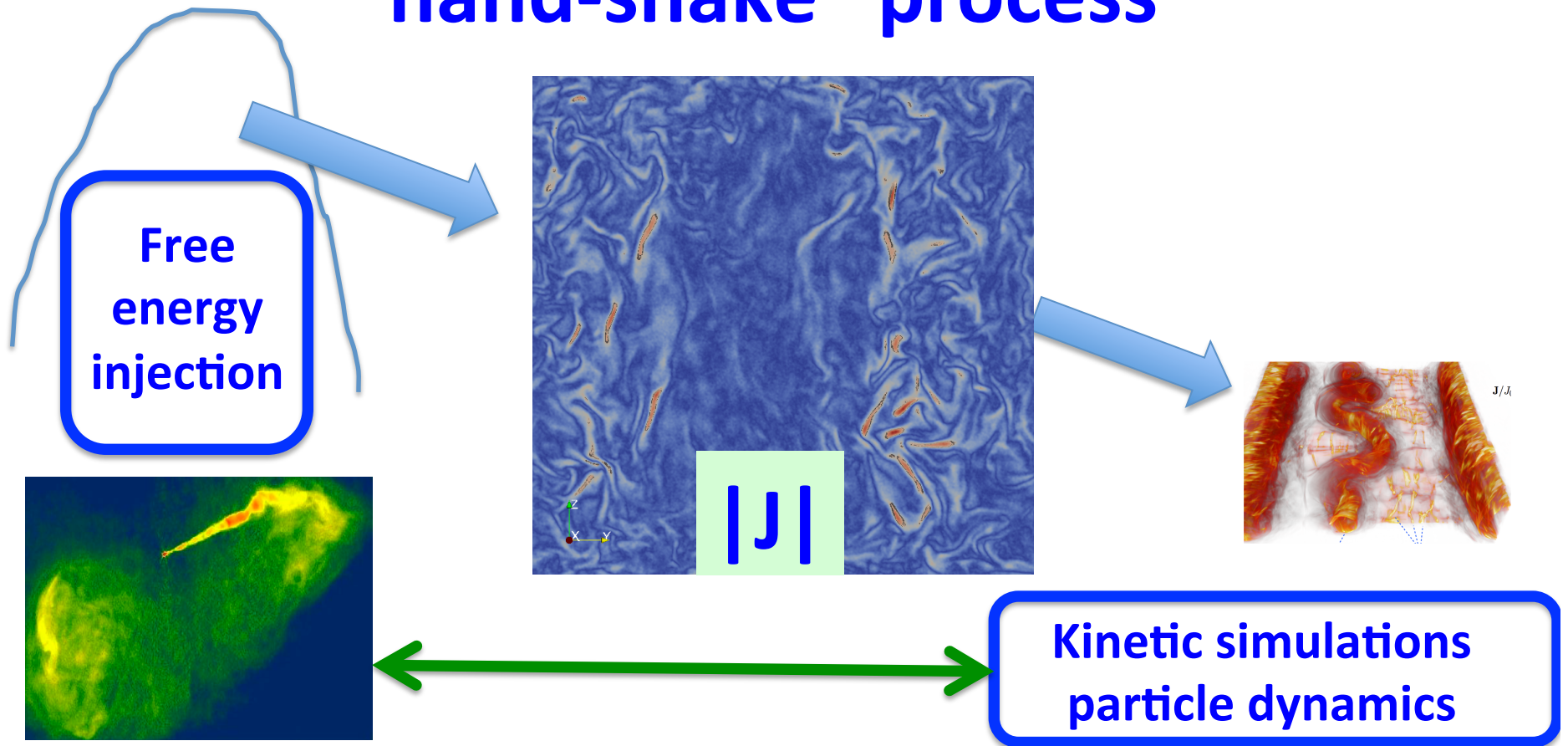
Magnetically Dominated Corona



Brief Summary of Key features of jets, lobes, and coronae:

- 1) in-situ acceleration needed;**
- 2) Volumetric;**
- 3) Likely magnetically dominated.**

Current Sheet Formation as “hand-shake” process



- emission: 10^{11} cm - pc
- jet: 100 kpc

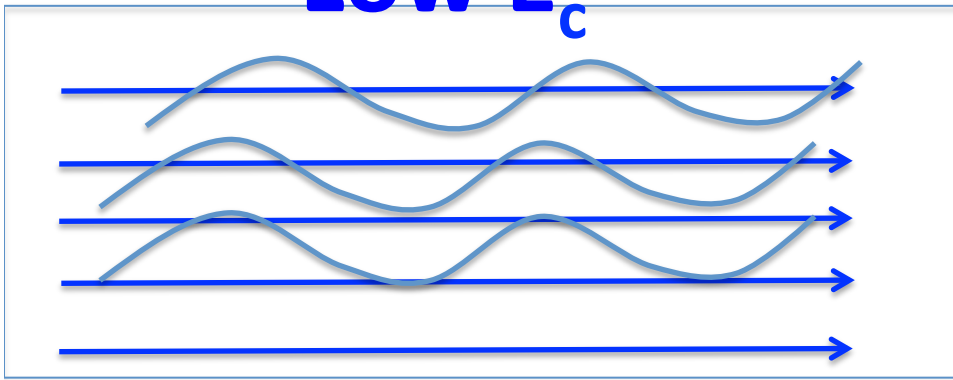
- $R_L \sim 2 \times 10^3 \gamma B$ cm
- $d_e \sim 5 \times 10^6 \gamma^{1/2} n_{-2}^{-1/2}$ cm

Wave-number

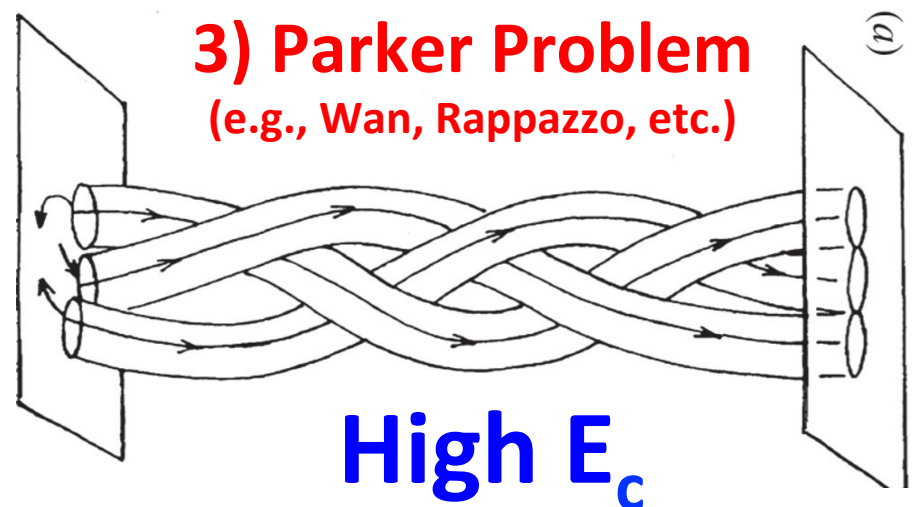
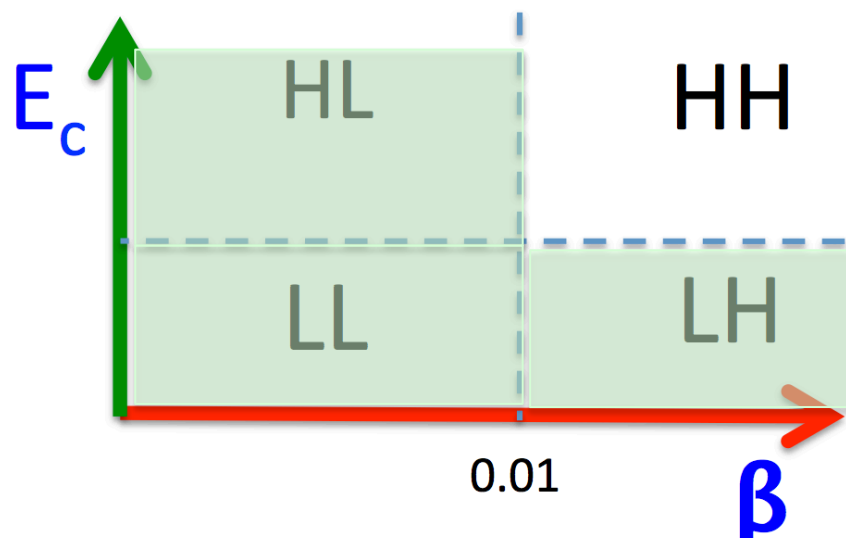
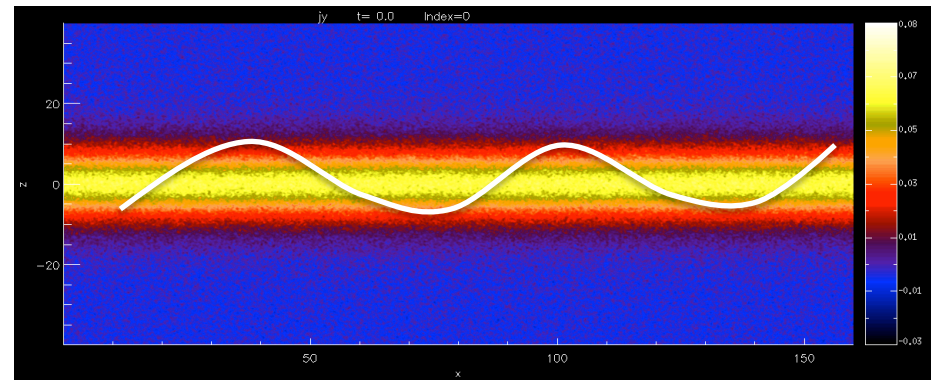
“Configuration Energy E_c ”

1) Uniform B + perturbation

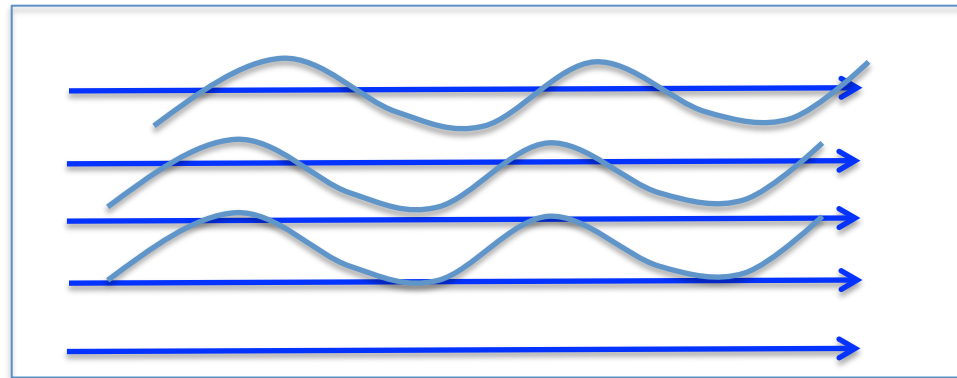
Low E_c



2) (thick) current sheet + perturbation



“Experiment A”:
Forming Current Sheet
Self-Consistently and
Particle Energization



Low E_c

What Should We Expect?

Magnetic:

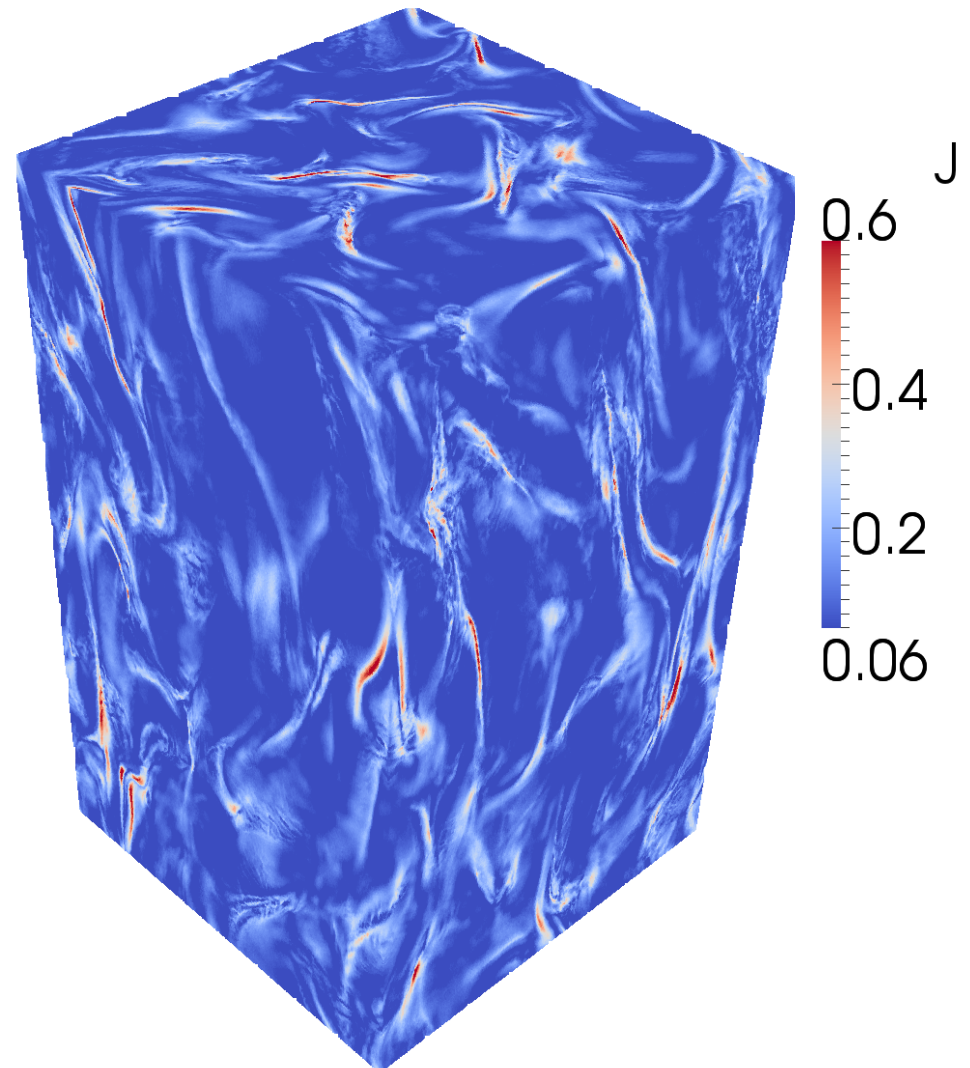
- 1) Cascade
- 2) Field Line diffusion
- 3) Current sheet formation

How about particles?

- 1) Stochastic energization

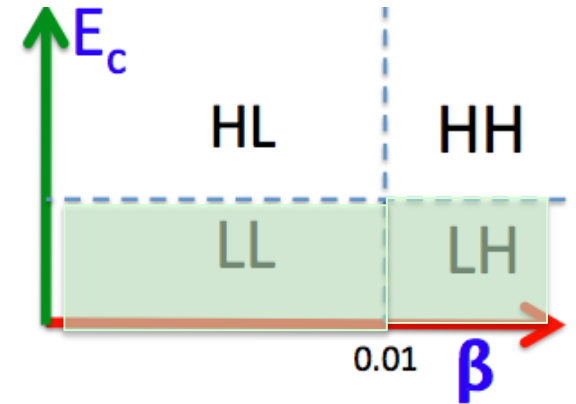
Q:

Will it produce non-thermal particles?

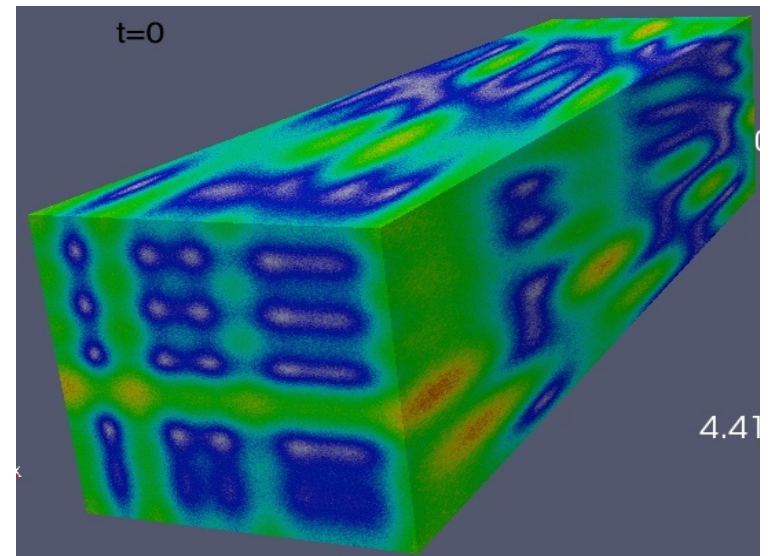


PIC Simulations Set-up

Uniform B_0 + 3D perturbations:

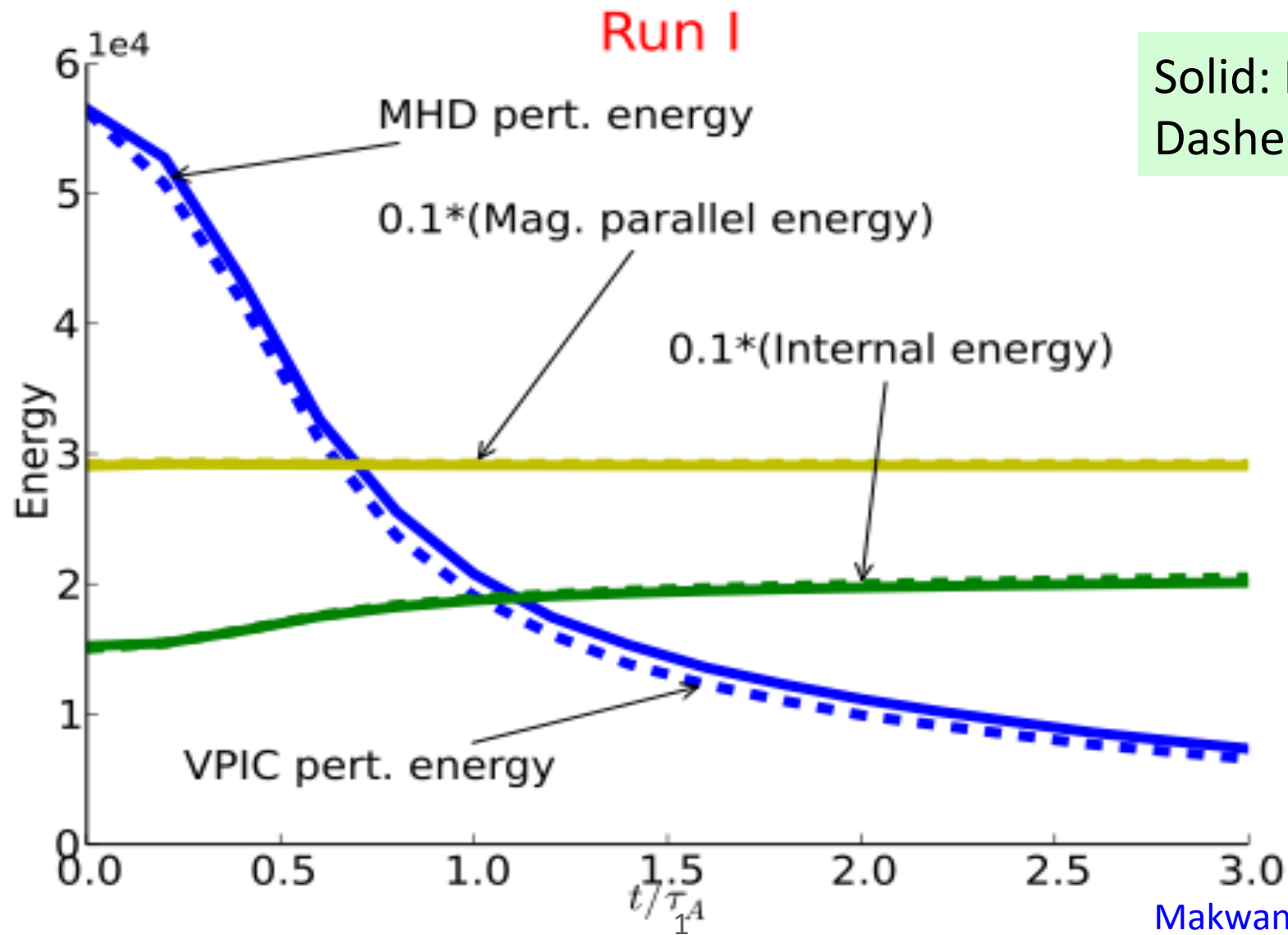


	LL run	LH run
m_i/m_e :	25	1
Box(d_e^3):	120	150
	120	150
	200	600
v_{the}/c :	0.1	0.08
$\Delta B / B_0$:	0.316	0.316
ω_{pe}/Ω_{ce} :	1	3.6
β_e :	0.02	0.33



Makwana+ 2015
X. Li et al. 2016

Energy Evolution



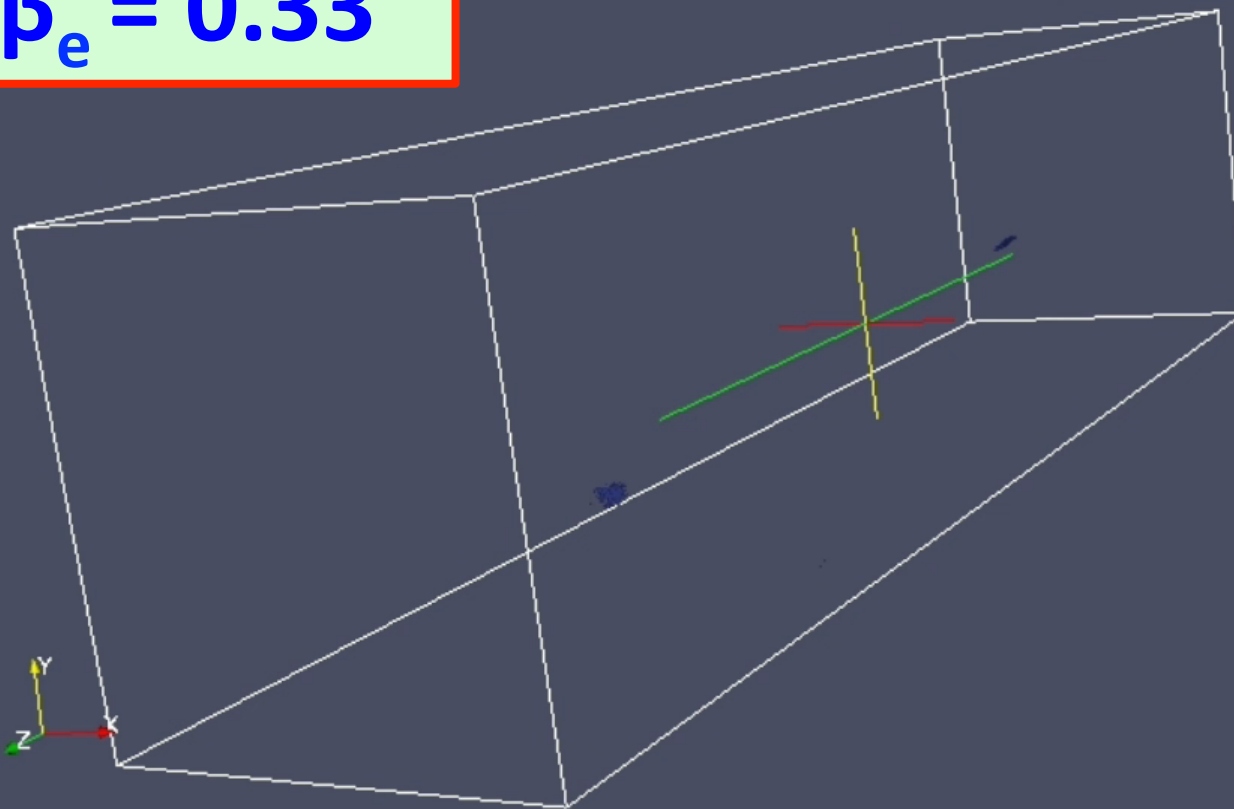
Hierarchical Current Sheet Structures

3D PIC Simulation $600 \times 150 \times 150 d_e^3$

LH Case

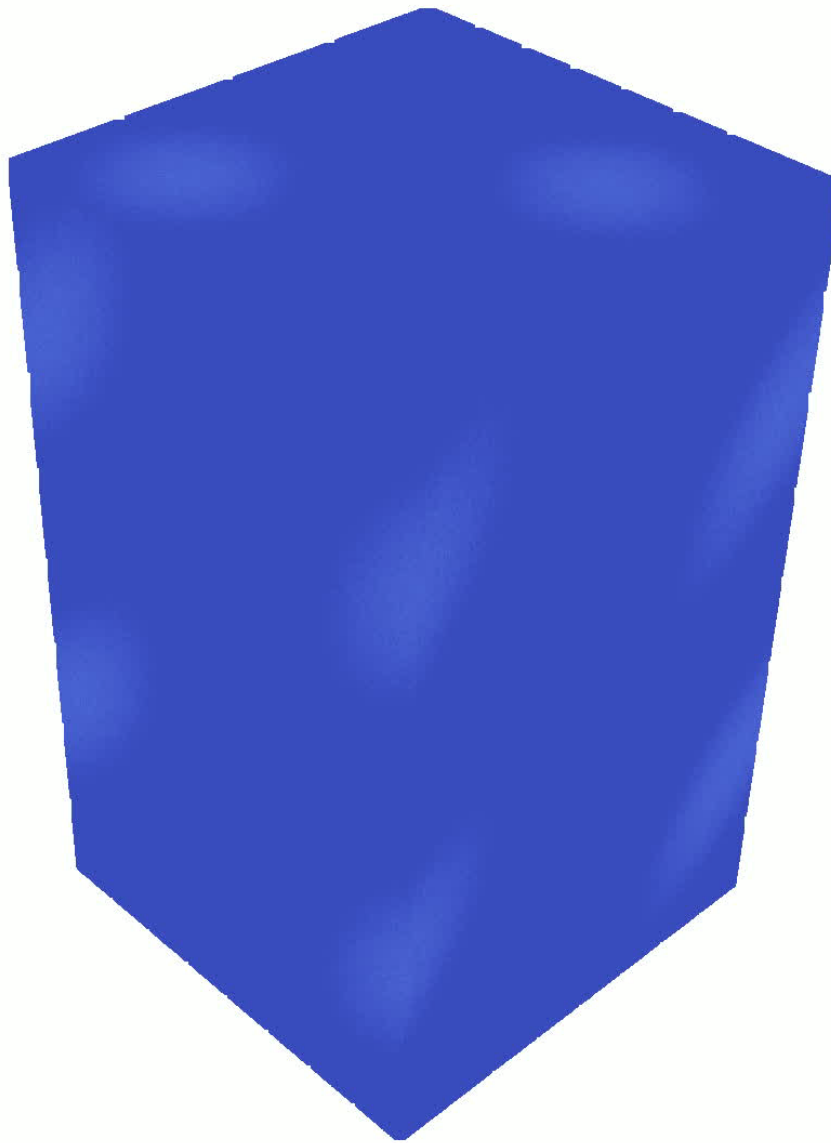
$\beta_e = 0.33$

$t = 0.08$

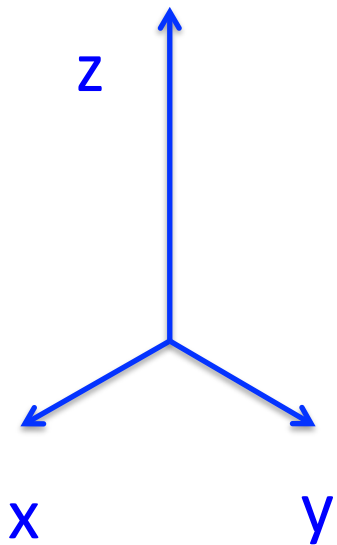
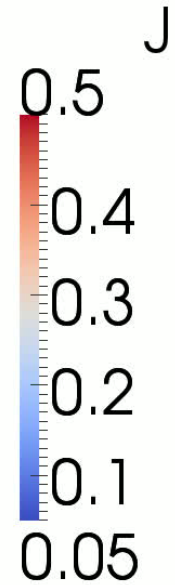


LL Case

$$\beta_e = 0.02$$

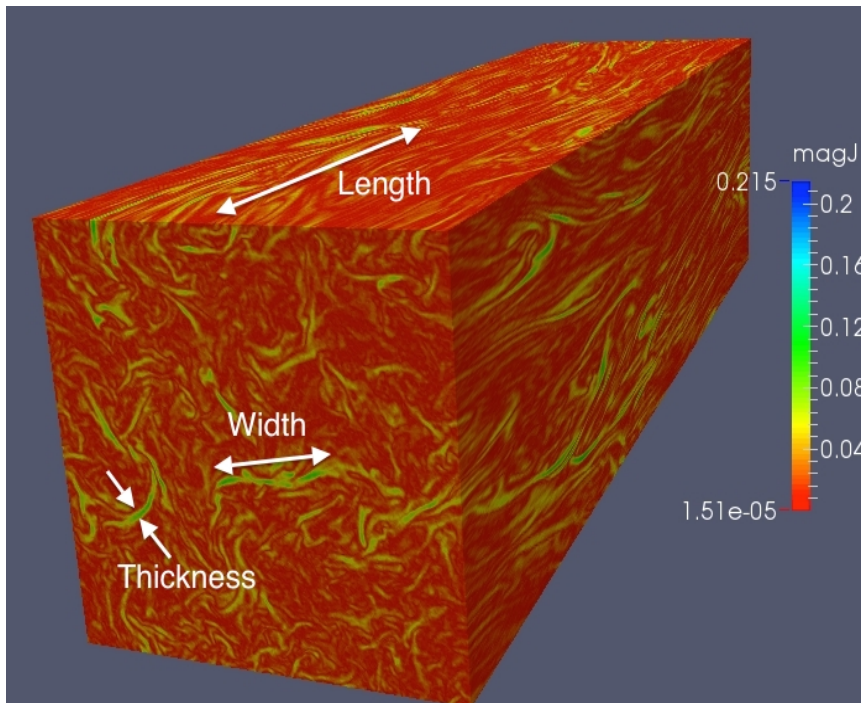


$$\omega_{pe} t = 0$$



Sheet Properties:

1) 3D Structures; 2) Dynamic; 3) not force-free

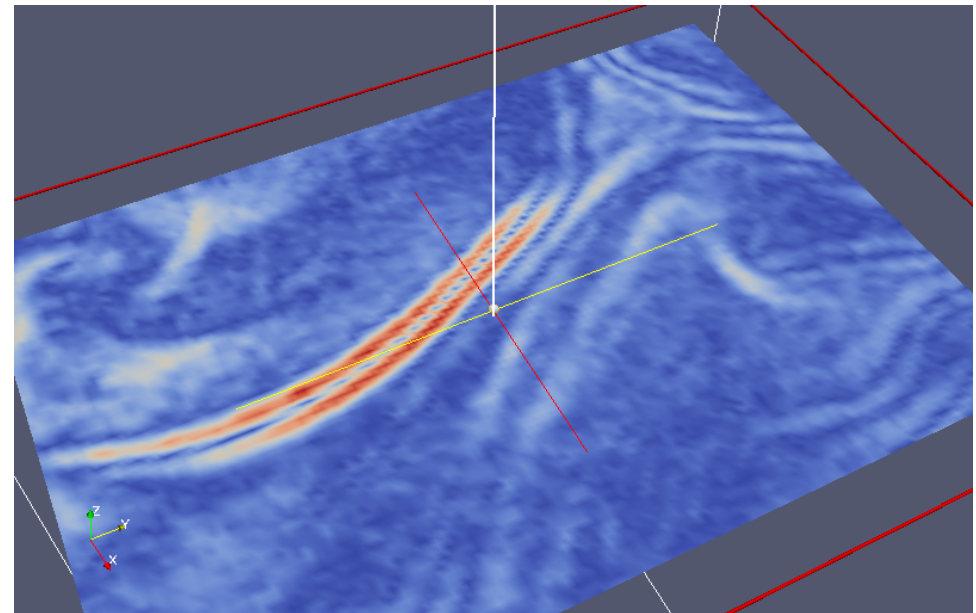


Current sheet: 3D

Thickness: $\sim d_e$

Width: $\sim 10 d_e$

Length: $\sim 100 d_e$

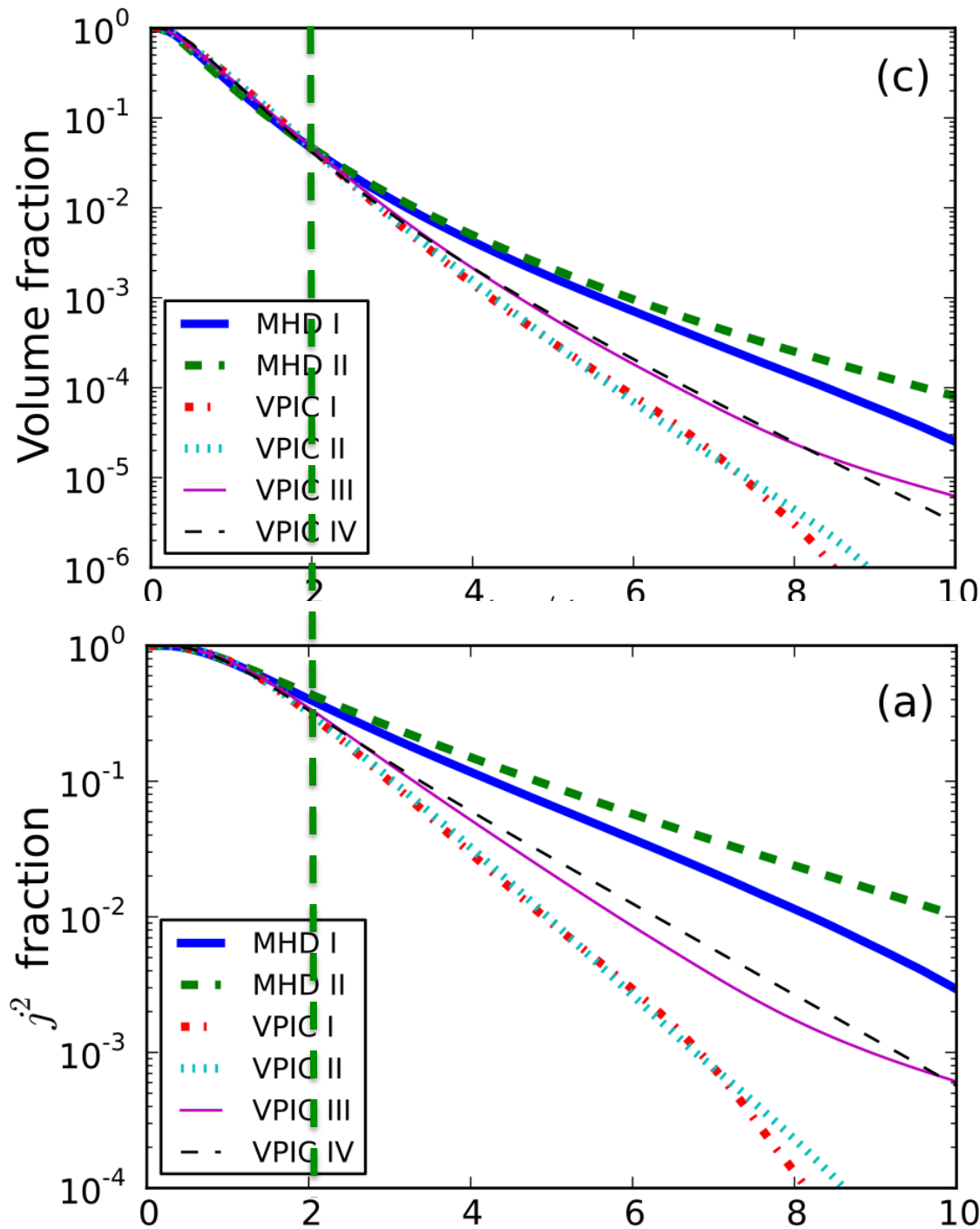


**|JxB|
Non-force-free**

Makwana et al. 2015

See also Zhdankin et al. 13,14

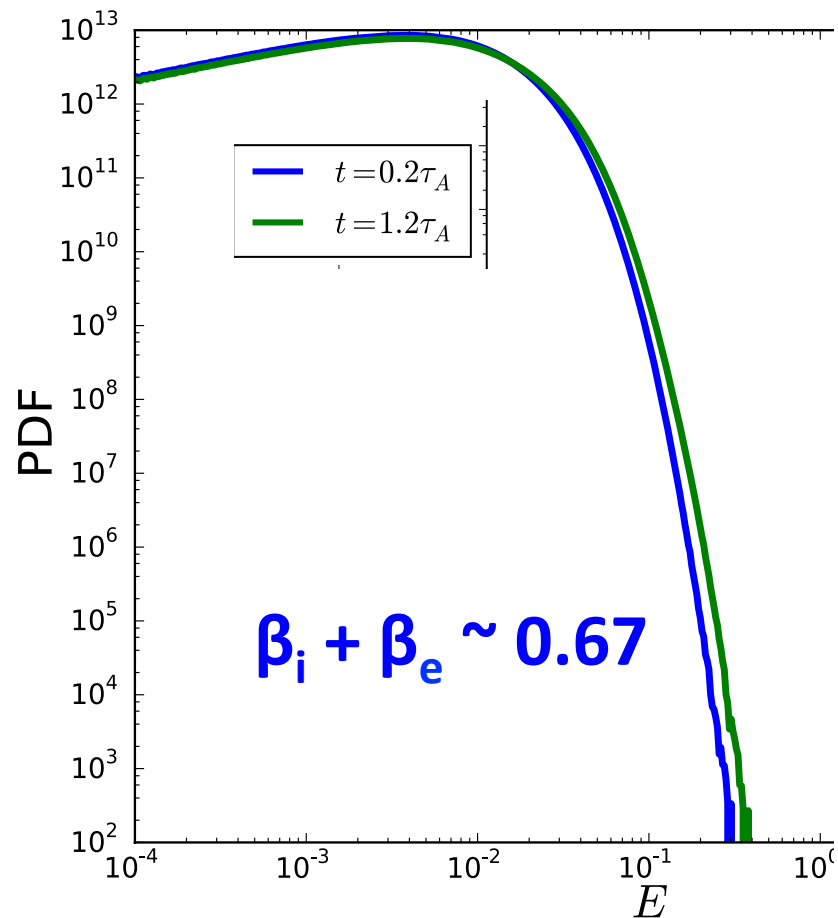
Properties: 4) Significant fraction of dissipation in current sheets



50% j^2 (Ohmic) dissipation in 5% volume

LH Case

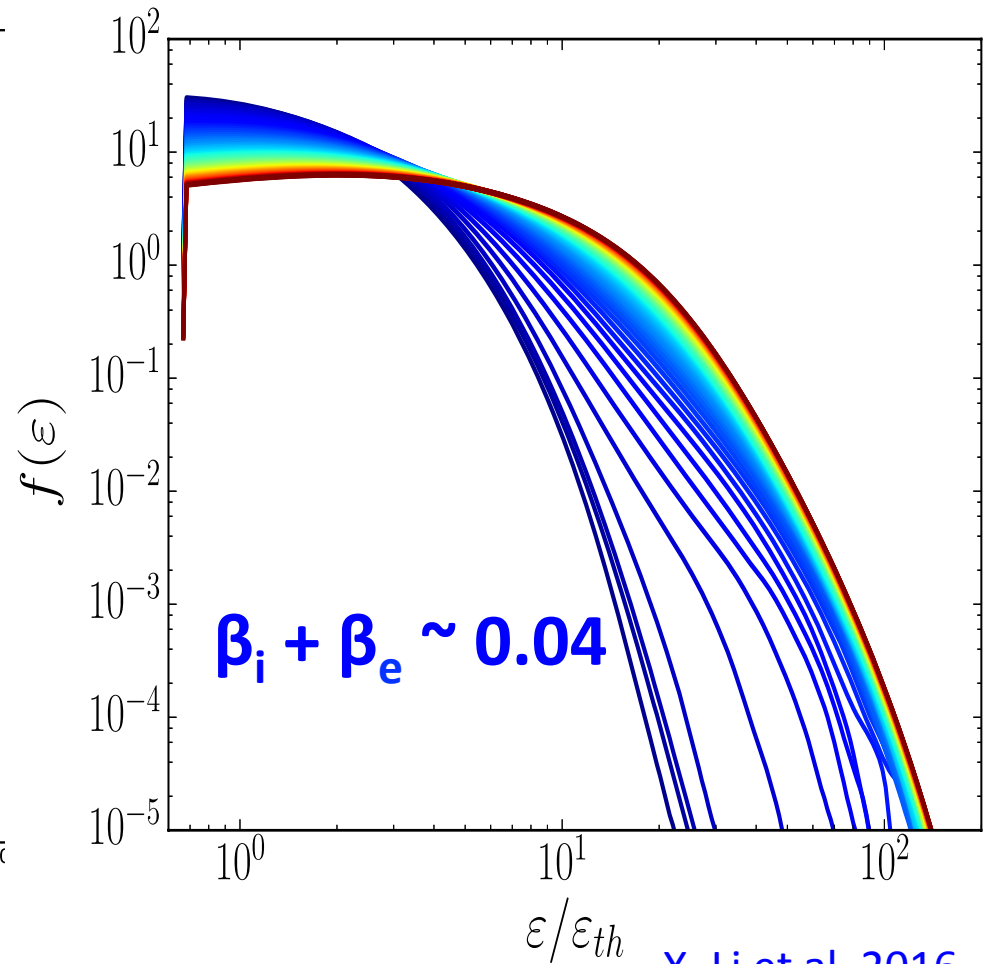
$$\beta_e = 0.33$$



Makwana+ 2015

LL Case

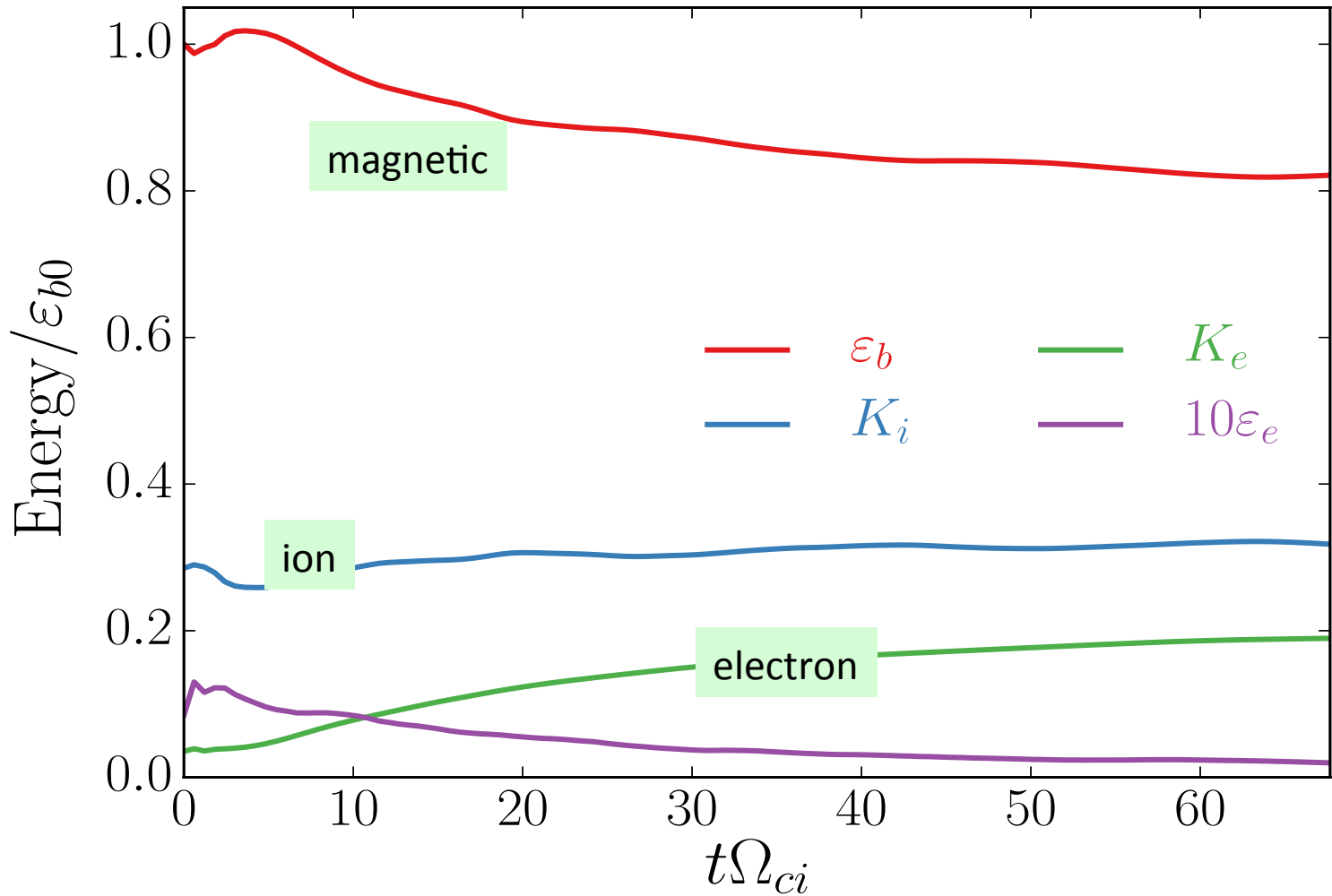
$$\beta_e = 0.02$$



X. Li et al. 2016

Significant Electron Acceleration

LL Case
 $\beta_e = 0.02$



**Relative strong correlation
between $|J|$ and $|J.E|$**

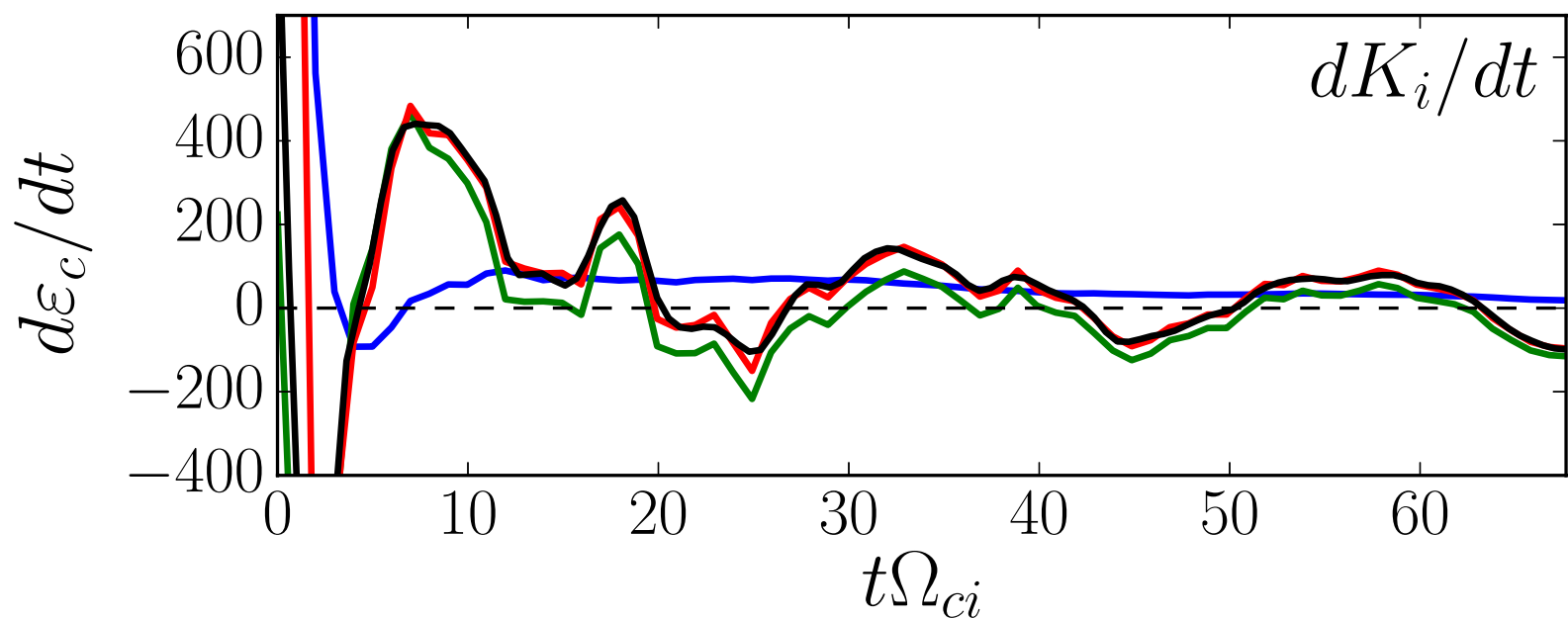
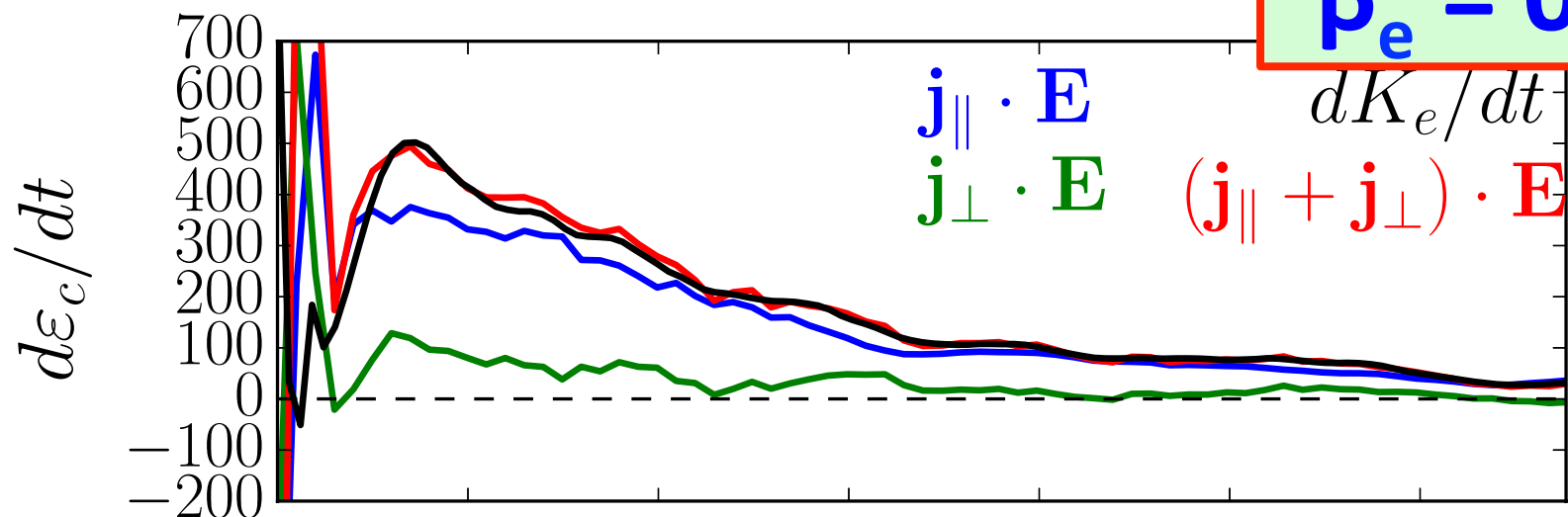
LL Case

$$\beta_e = 0.02$$

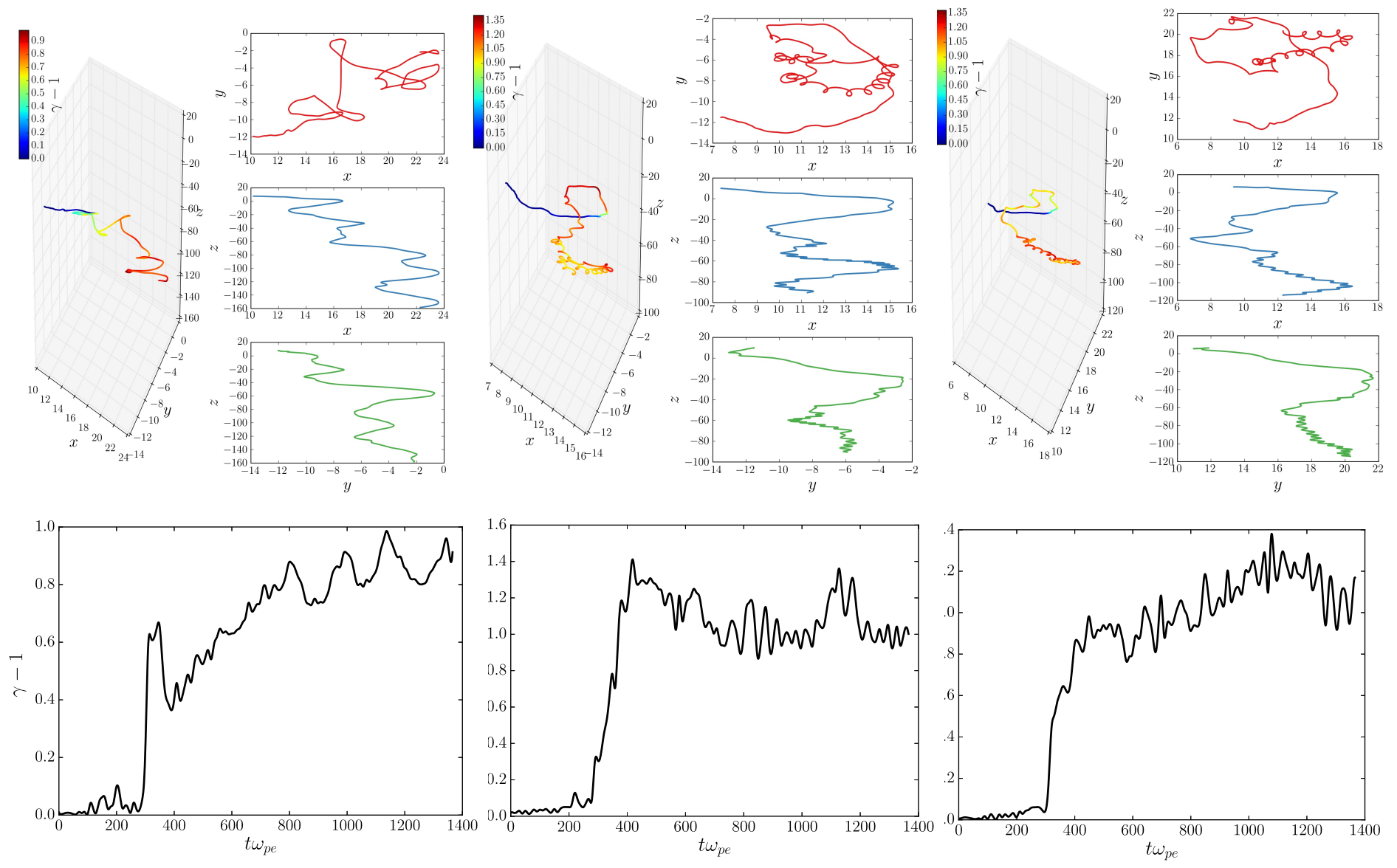


E_parallel Dominant

LL Case
 $\beta_e = 0.02$

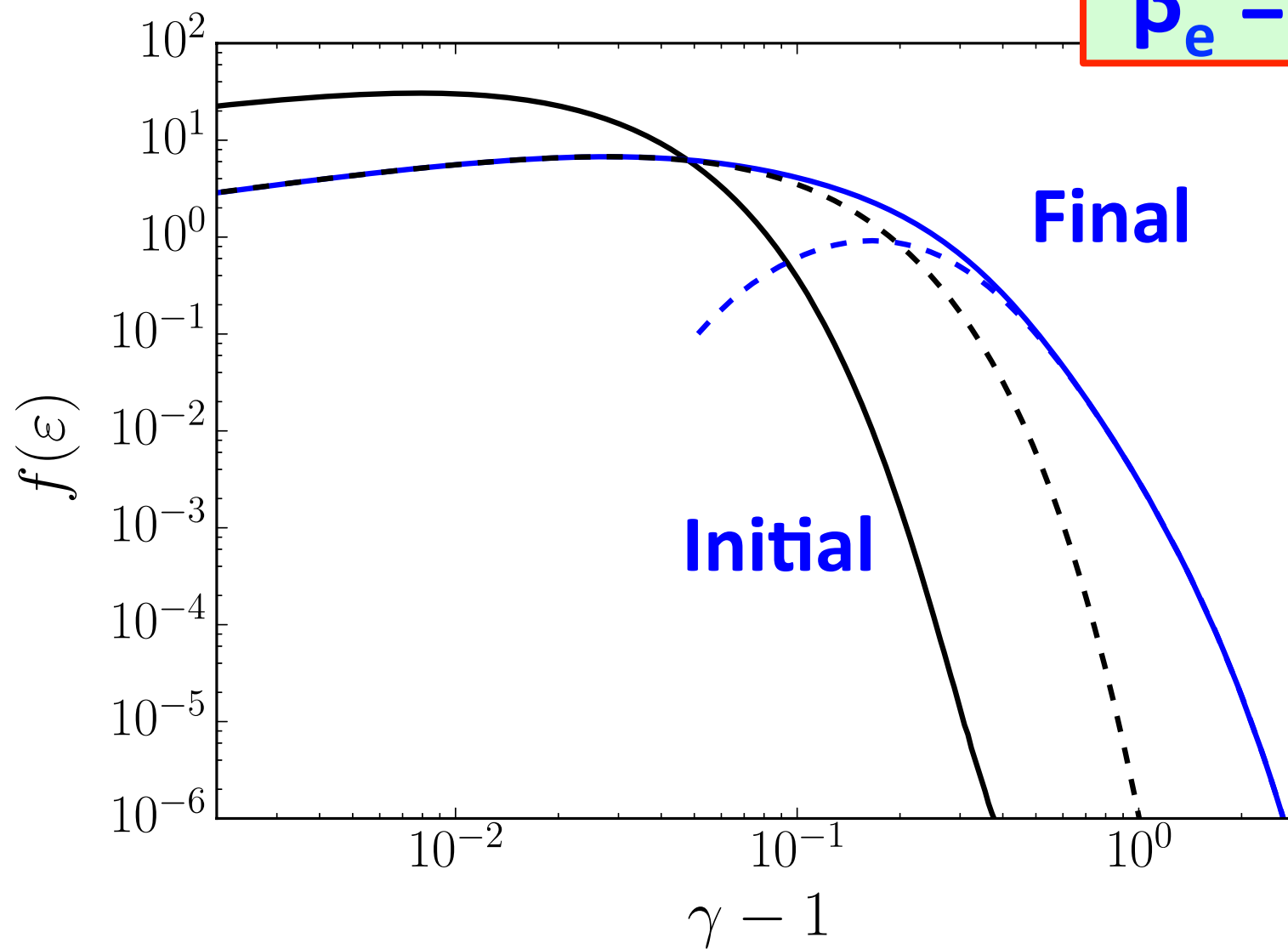


Sample Particle Trajectories



Particle Energy Distribution

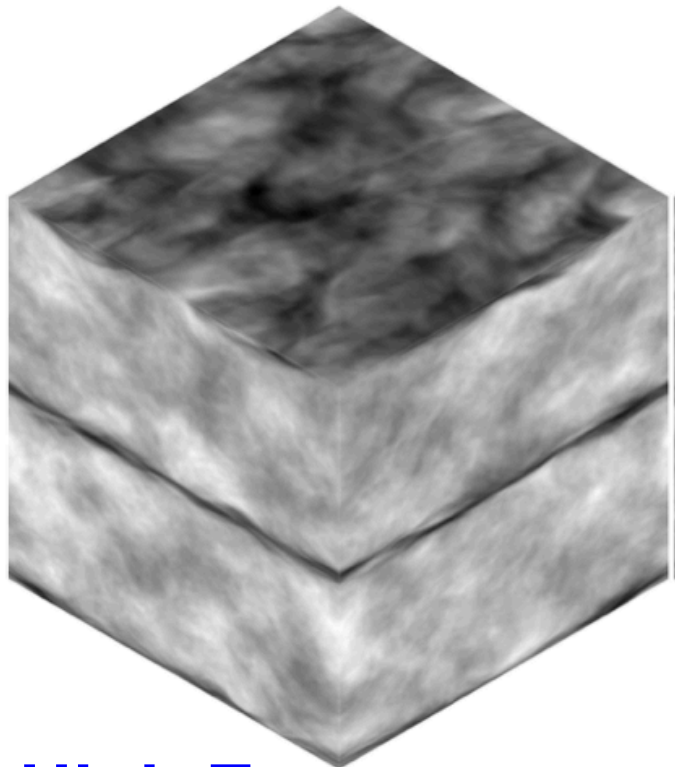
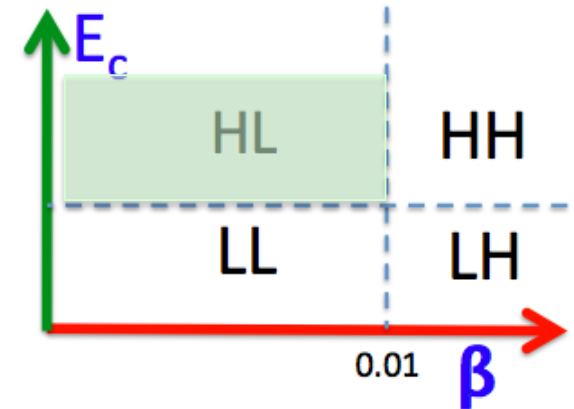
LL Case
 $\beta_e = 0.02$



Brief Summary on “Expt A”:

- 1) Significant particle energization can occur in low-beta (< 0.02) plasmas;**
- 2) E_{parallel} associated with (transient) current sheet reconnection seems to be the main acceleration (similar to strong guide field reconnection?)**
- 3) More work needed to differentiate the relative role of reconnection acceleration and 2nd order Fermi.**

“Experiment B”: Thick Current Sheet and Particle Energization in MHD



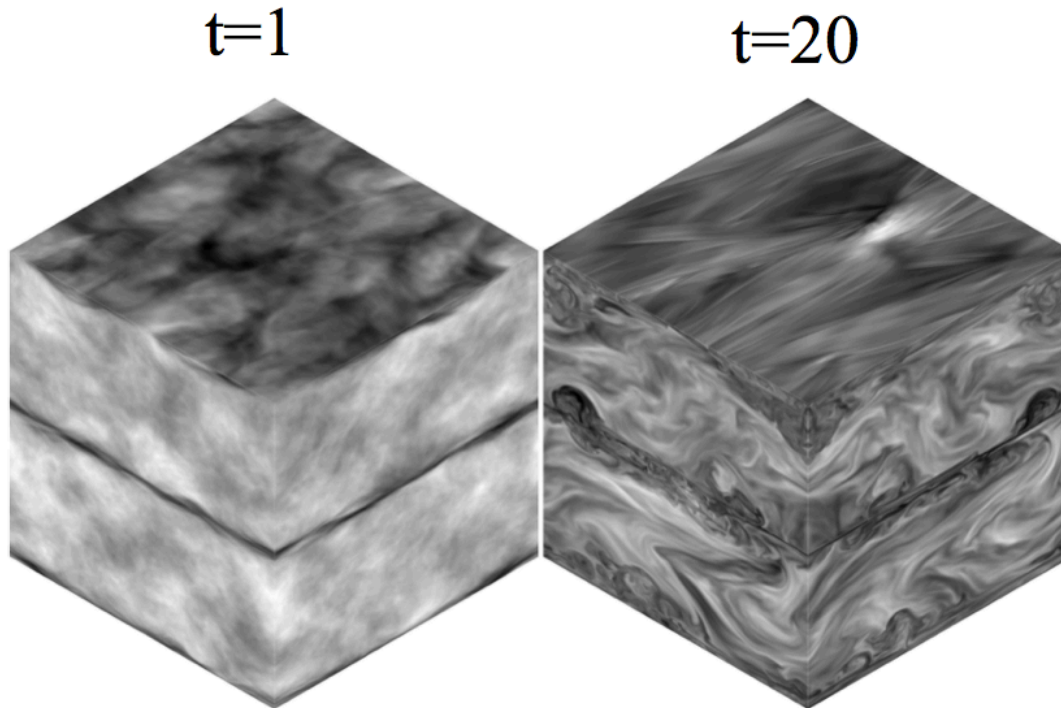
High E_c

Thick Sheets:

- 1) tearing is unimportant
- 2) Thickness $>$ LV99 sheet
- 3) Turbulence injection scale $>$ thickness



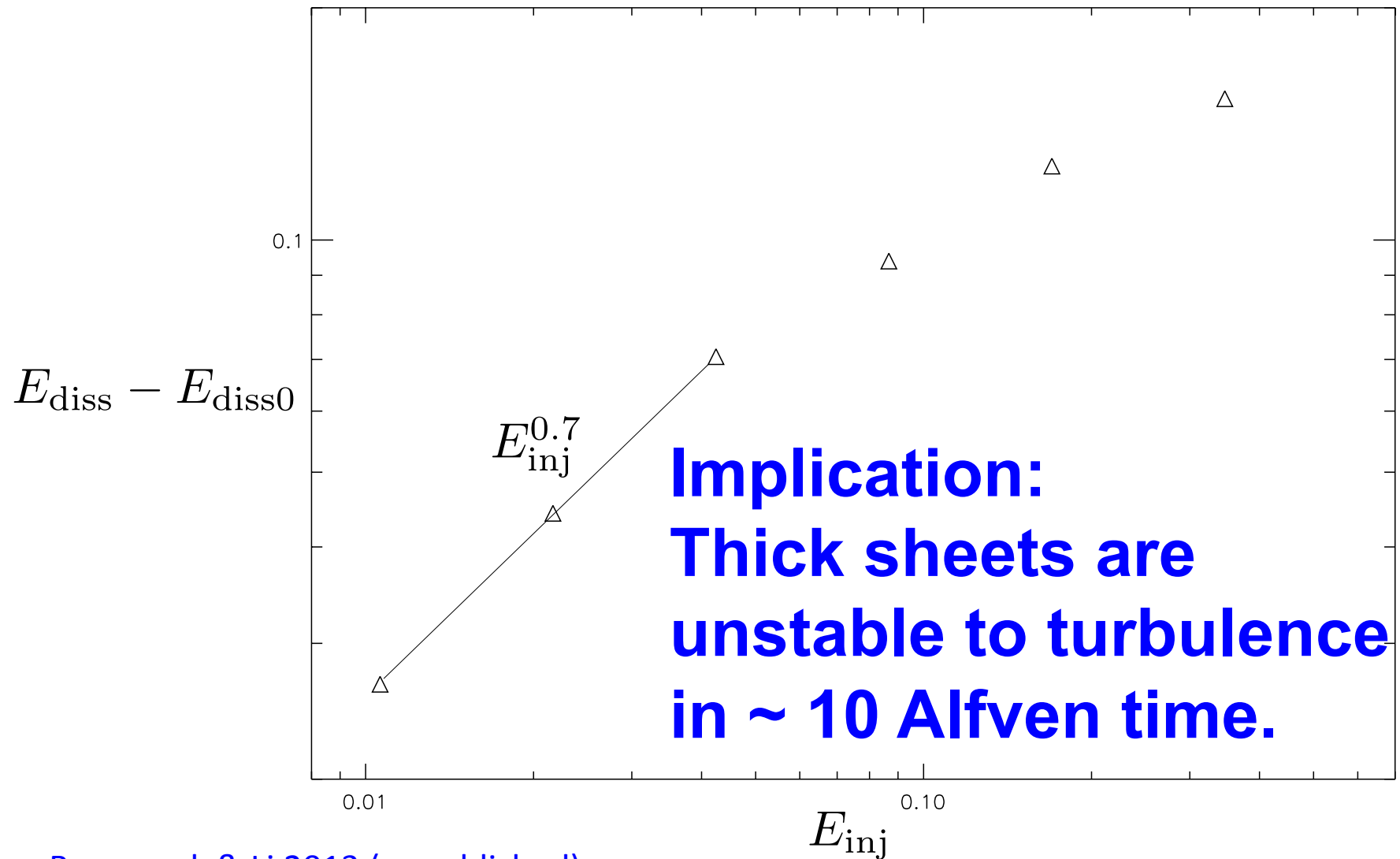
What Should We Expect?



Using the same turbulence injection, comparing the case with and without a current sheet,

Q:
will we get a different amount of energy dissipation?

More Dissipation with (thick) Current Sheet



Beresnyak & Li 2013 (unpublished)

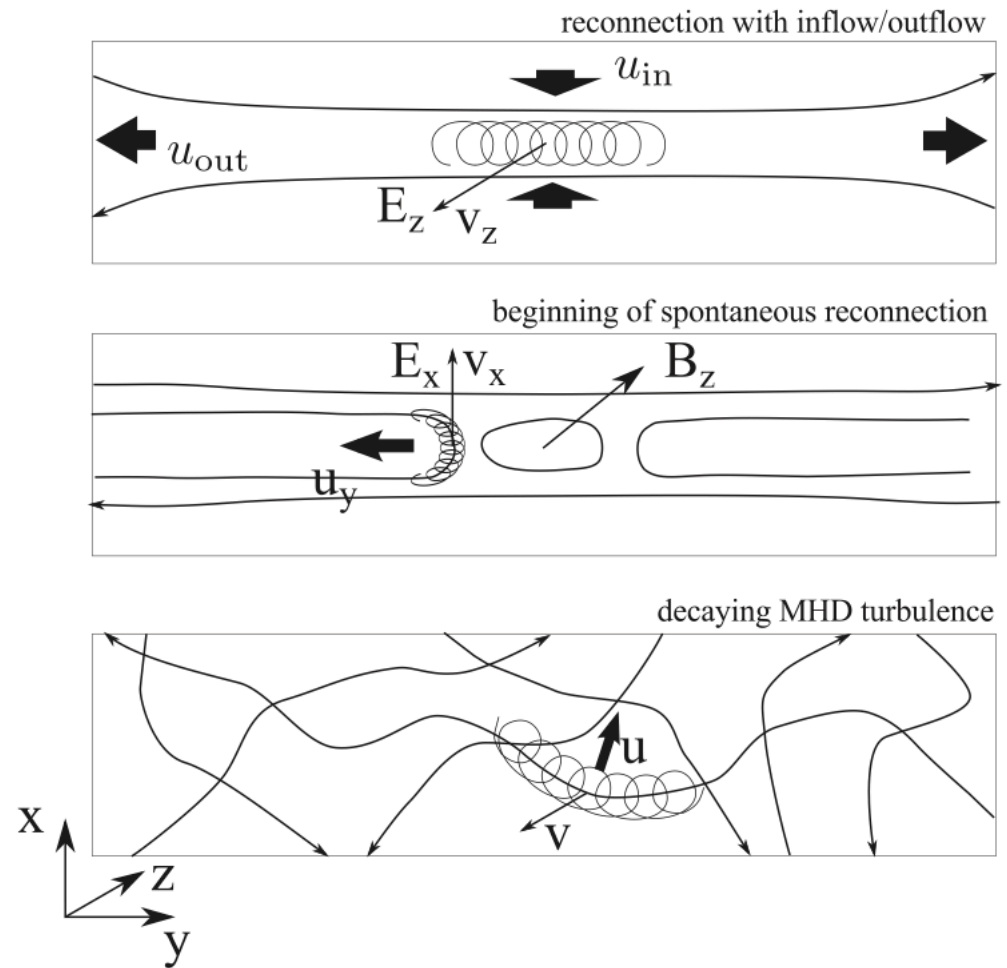
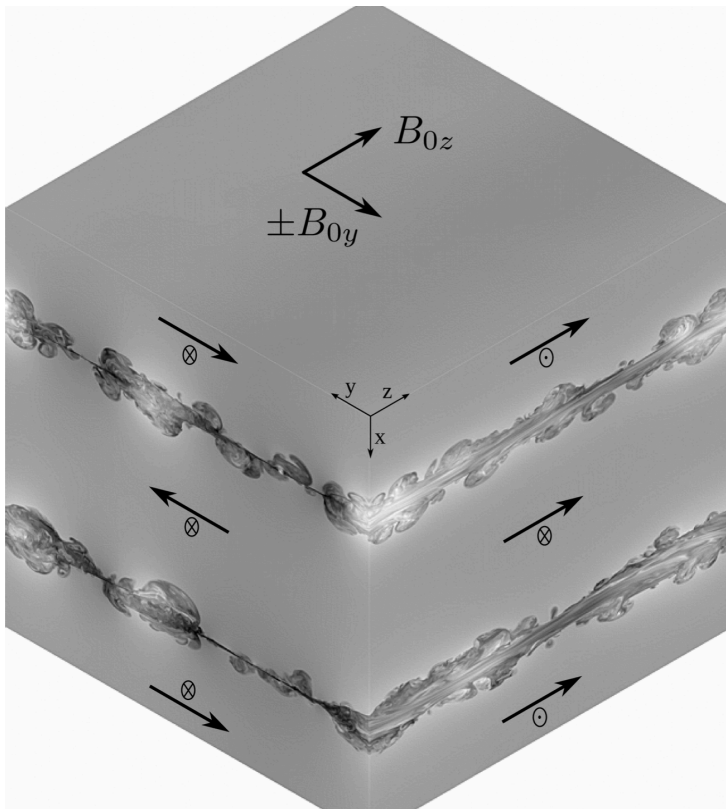
FIRST-ORDER PARTICLE ACCELERATION IN MAGNETICALLY DRIVEN FLOWS

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Received 2015 December 11; accepted 2016 January 17; published 2016 March 2



Linking Global Energy Conversion with Particle Energy Gain

Fluid energy conversion:

$$\mathbf{V} \leftrightarrow \mathbf{B} \text{ energy transfer} \quad \mathcal{T} = \mathbf{u} \cdot [\mathbf{j} \times \mathbf{B}] / c =$$

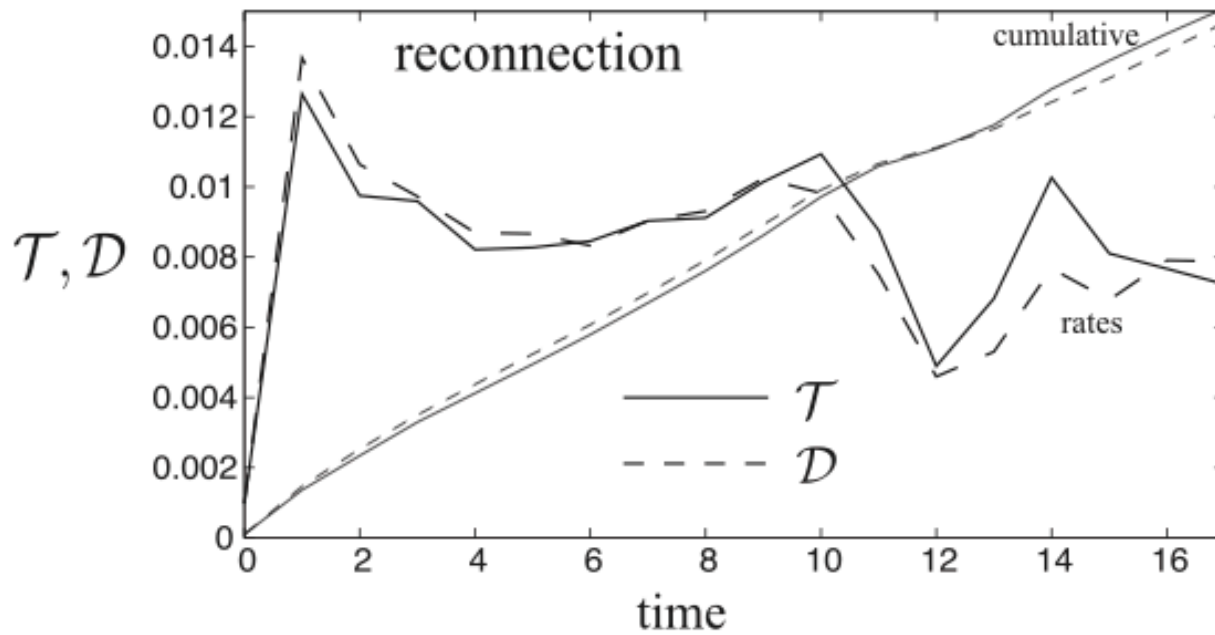
$$-(\mathbf{u} \cdot \nabla) B^2 / 8\pi + \mathbf{u} \cdot (\mathbf{B} \cdot \nabla) \mathbf{B} / 4\pi$$

$$\frac{1}{4\pi} \mathbf{u} \cdot (\mathbf{B} \cdot \nabla) \mathbf{B} = \underbrace{\frac{1}{4\pi} (\mathbf{u} \cdot \mathbf{B}) (\mathbf{b} \cdot \nabla) B}_{\mathcal{X} +} + \underbrace{\frac{B}{4\pi} \mathbf{u} \cdot (\mathbf{B} \cdot \nabla) \mathbf{b}}_{\mathcal{D}}$$

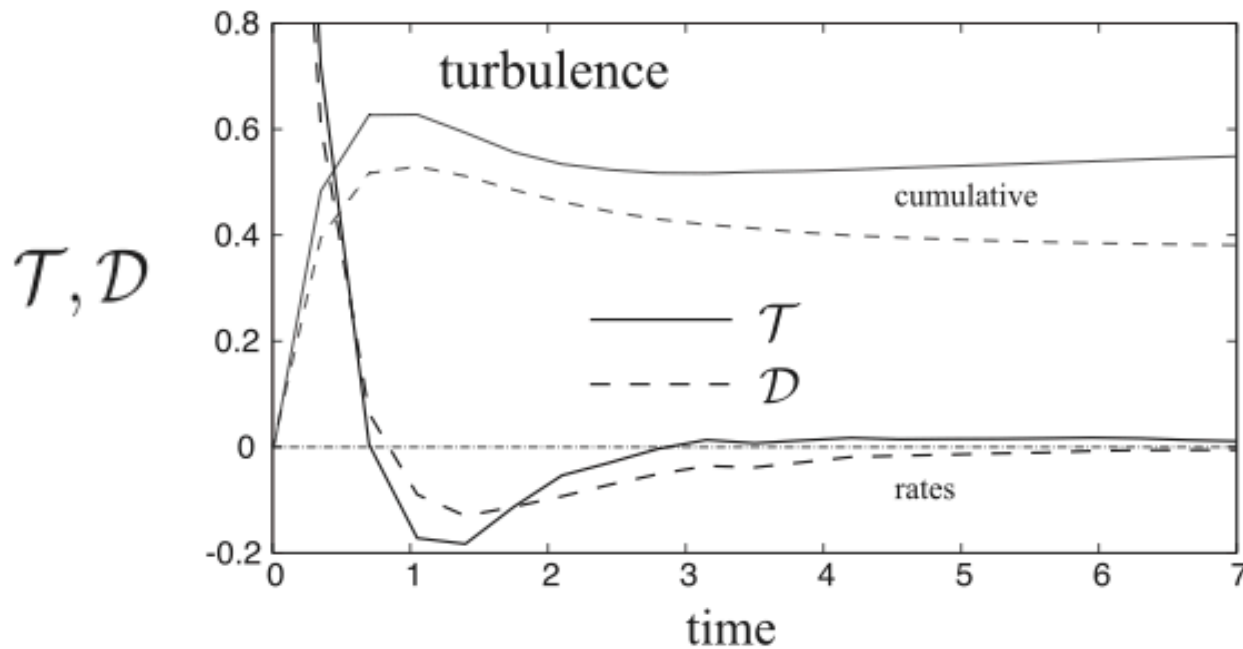
Particle energy via curvature drift:

$$d\mathcal{E}/dt = -2(\mathcal{E}_{\parallel}/B) [\mathbf{u} \times \mathbf{B}] \cdot [\mathbf{b} \times (\mathbf{b} \cdot \nabla) \mathbf{b}] = \mathcal{E}_{\parallel} \frac{8\pi}{B^2} \mathcal{D}$$

$$\mathcal{D} = \frac{B}{4\pi} \mathbf{u} \cdot (\mathbf{B} \cdot \nabla) \mathbf{b}$$

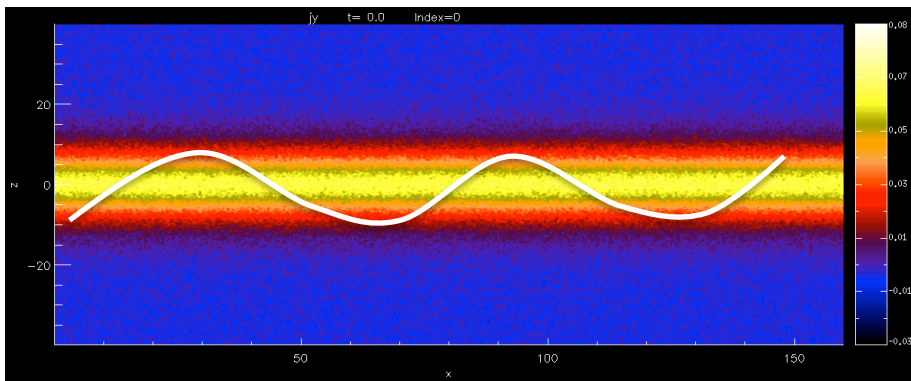
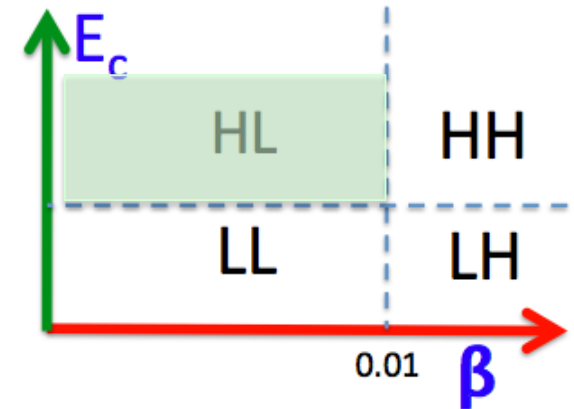


\mathcal{T} : Energy transfer from magnetic to flow



\mathcal{D} : Energy gain by particles via curvature drift

“Experiment C”: Thick Current Sheet and Particle Energization in PIC



Thick Sheets:

- 1) Collisionless tearing is unimportant
- 2) Turbulence injection scale $>$ thickness

High E_c



Initial PIC Simulation Set-up

Force-free Harris Current Sheet + 3D perturbations:

$$L_x \times L_y \times L_z = 200d_i \times 100d_i \times 100d_i$$

$$N_x \times N_y \times N_z = 768 \times 384 \times 384$$

$$m_i/m_e = 1 \quad \omega_{pe}/\omega_{ce} = 1.0$$

$$v_{the} = 0.1c \quad T_i = T_e$$

$$\beta_i = \beta_e = 0.02$$

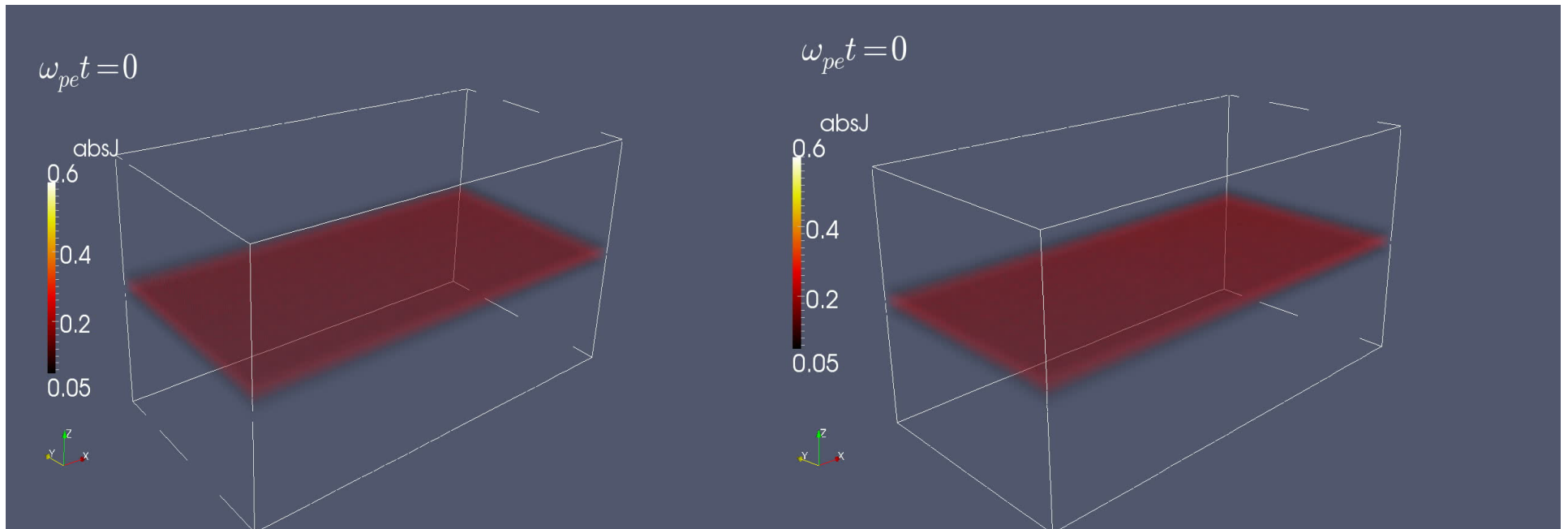
$$\delta B = 0.03 - 0.1B_0$$

$$\lambda = 5d_i$$

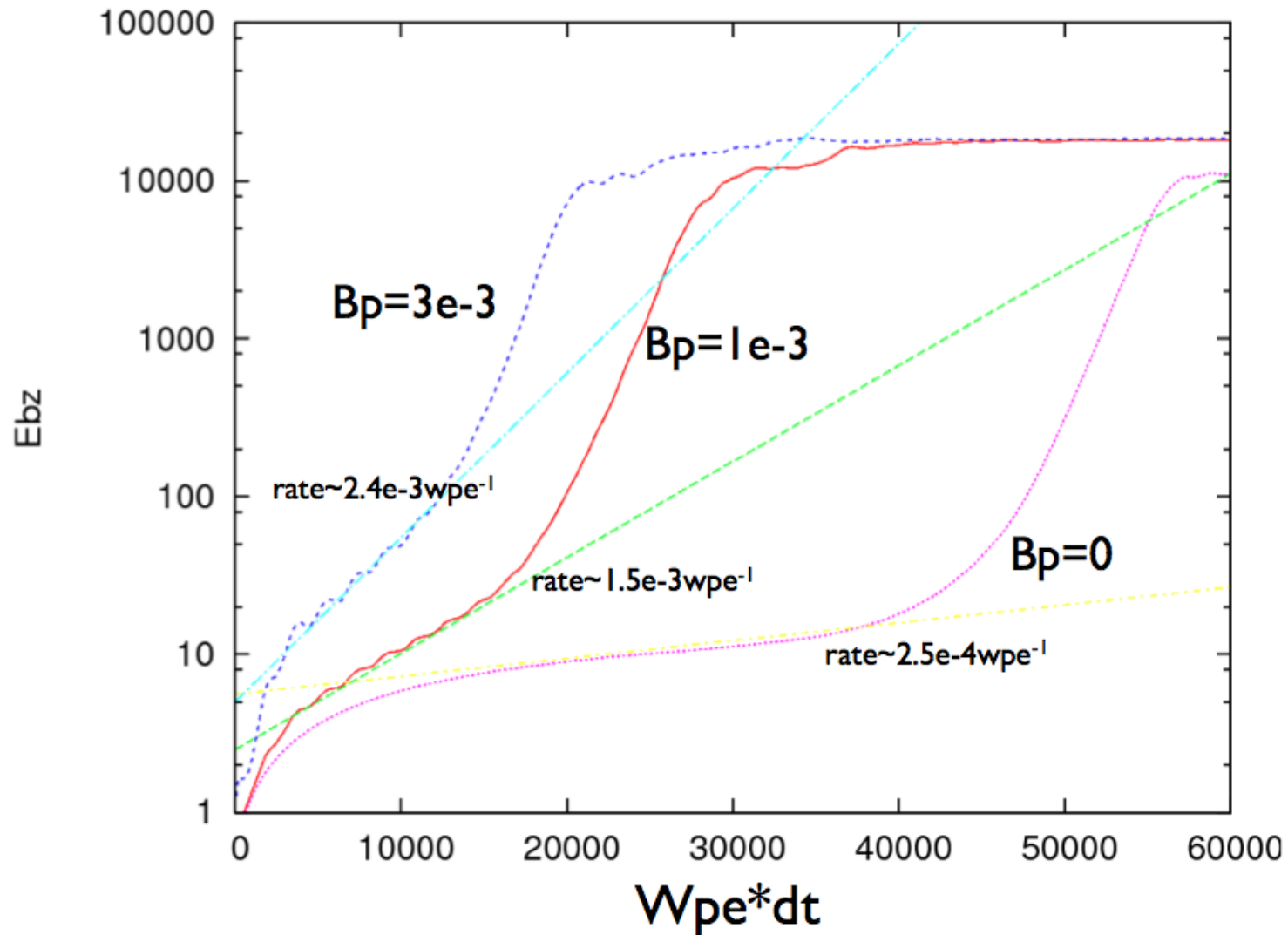
|J|: 3D

$dB/B_0 = 0.03$ (pairs)

$dB/B_0 = 0.1$ (pairs)

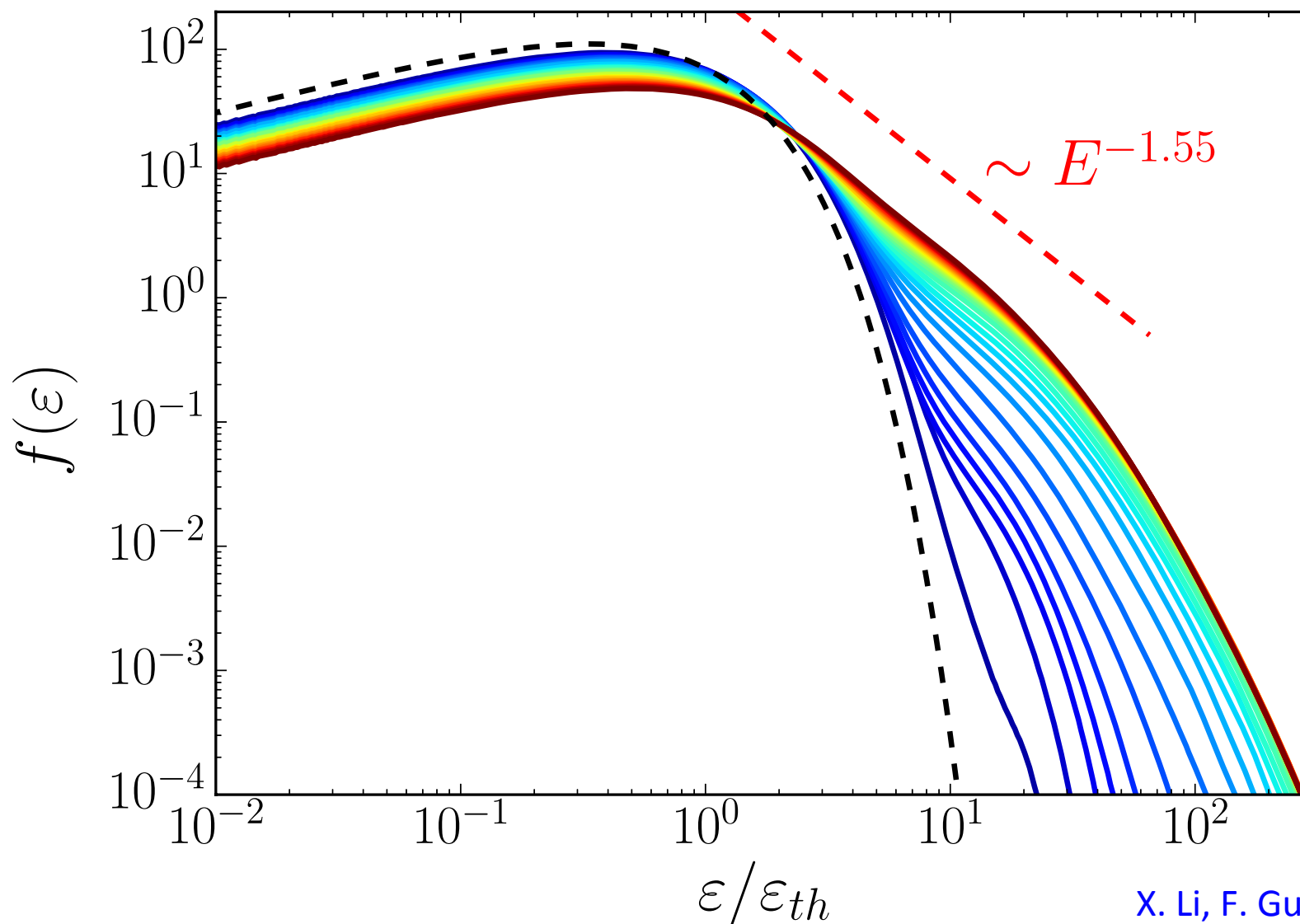


Higher Perturbation Enhances Growth of Tearing



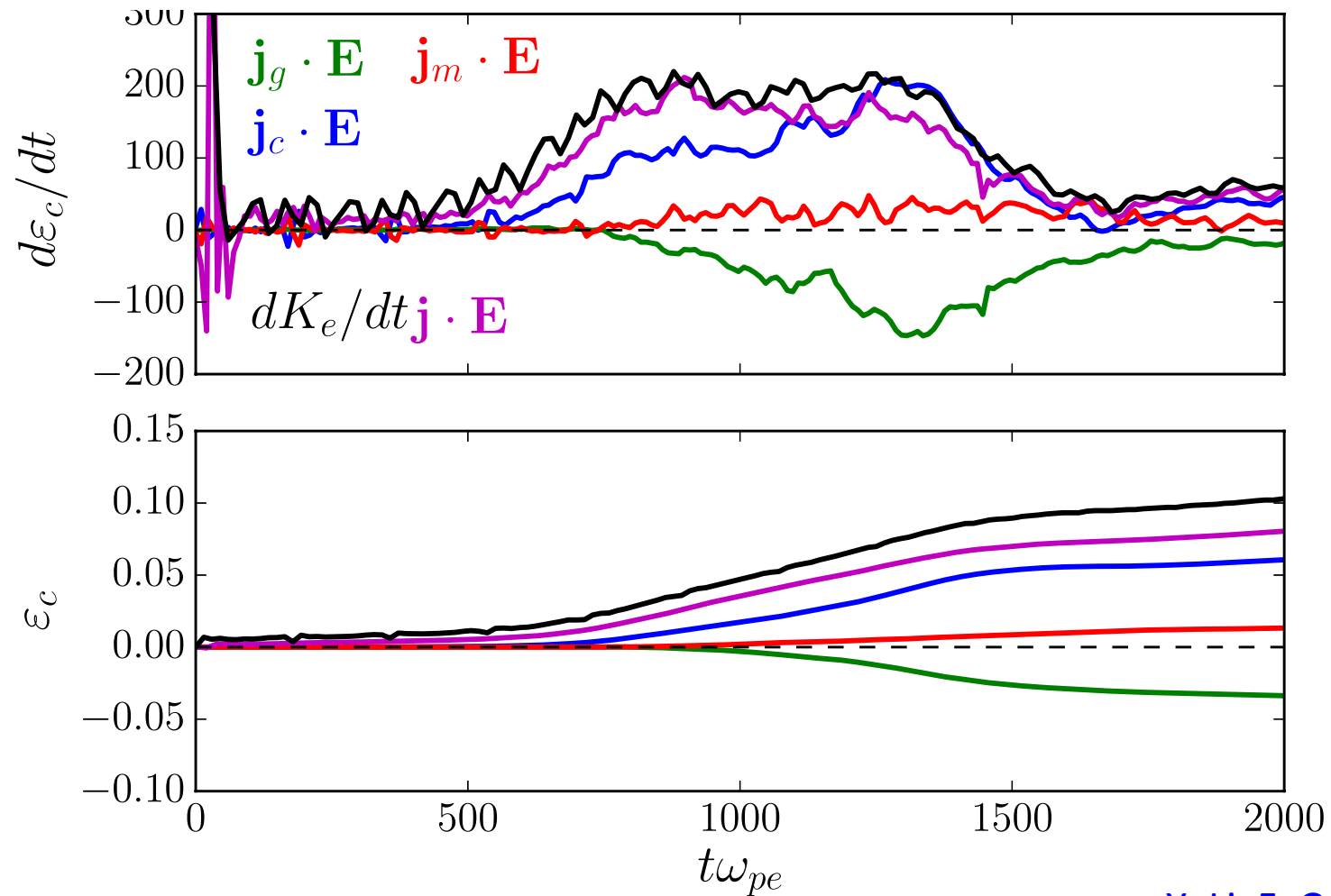
$$\Delta = 5 d_i$$

Particle Distribution ($\text{dB}/B_0 = 0.1$, pairs)

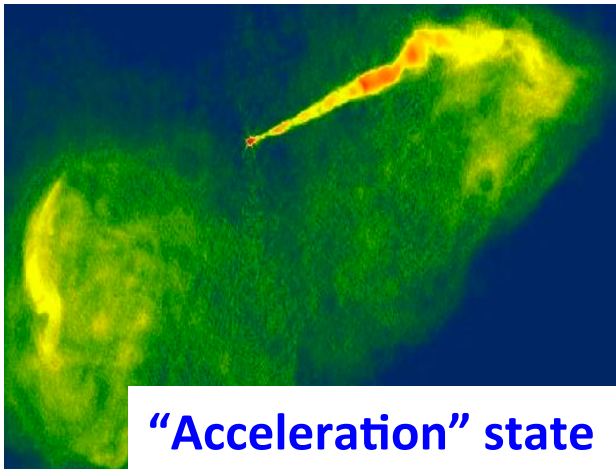
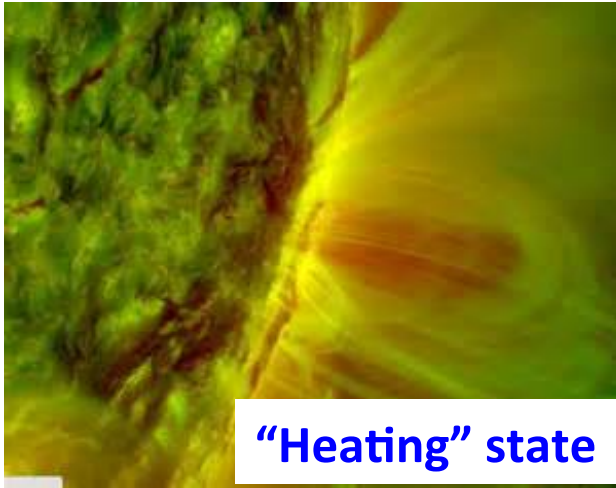


Curvature Drift Term Important

$$\mathbf{j}_\perp = P_\parallel \frac{\mathbf{B} \times (\mathbf{B} \cdot \nabla) \mathbf{B}}{B^4} + P_\perp \left(\frac{\mathbf{B}}{B^3} \right) \times \nabla B - \left[\nabla \times \frac{P_\perp \mathbf{B}}{B^2} \right]_\perp + \rho \frac{\mathbf{E} \times \mathbf{B}}{B^2} + \rho_m \frac{d\mathbf{u}_E}{dt} \times \frac{\mathbf{B}}{B^2}$$



Summary



- Depending on the “configuration energy”, the formation, shape, and lifetime of current sheets can vary; this gives different particle energization processes.
- **Heating state:** when current sheets are relatively transient, we can get significant heating;
- **Acceleration state:** when current sheets are large and long-lived, it is possible to produce highly non-thermal particles via both 1st order Fermi and E_{\parallel} ;
- Much more work is needed to build up this picture.