# Neutrino transport in neutron star merger simulations



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#### r-process and kilo novae

Merger event produces unbound outflows







elements heats ejecta



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Image: Lippuner & Roberts 2015

UNH

#### **Kilonova Properties vs Outflow Properties**

#### **Composition :**



<u>Velocity :</u>

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Images: Kasen et al 2017

#### Kilonova : GW170817

 $\frac{Two-component\ model}{0.025M_{\odot}\ at\ high\ Y_e,\ v\sim 0.3c}\\ 0.04M_{\odot}\ at\ low\ Y_e,\ v\sim 0.15c$ 



Image: Kasen et al 2017

#### Kilonova : inferring merger parameters



Image: Kasen et al 2017

#### **Neutrinos in mergers**



#### Neutron Star Merger remnant (Foucart et al. in prep)

(1) Neutrinos cool the disk

(2) Neutrinos drive polar outflows

(3) Neutrino absorption / Antineutrino emission increase  $Y_e$  of outflows

(4) Pair annihilation deposits energy in polar regions

#### Pair annihilation (NSNS)



Images: Fujibayashi et al., 2017

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## Without annihilation

#### Neutrino transport

High cost: (6+1)D problem  $f_{(\nu)} = f(t, x^i, p^{\alpha})$ and complex collision terms, e.g. Inelastic scattering Neutrino-antineutrino annihilation

Cross-sections depend strongly on neutrino energy & orientation!

#### Leakage schemes

Simplest, most common approximation: Estimate energy and lepton number emission from:



Optical depth obtained from approximate solution to  $|\nabla \tau| = (\kappa_A + \kappa_S)$ 

Leakage schemes are cheap, **but** only order-of-magnitude accurate No absorption/winds/non-local effects

See Ruffert et al. 1997, Rosswog & Liebendorfer 2003, Sekiguchi et al. 2011, Deaton et al. 2013, Neilsen et al. 2014, Foucart et al. 2014

### Moment formalism (M1)

#### Relatively cheap, approximate transport method.

<u>Define moments :</u> Energy Density E Flux Density F<sub>i</sub> (optionally) Number Density N

Exact evolution equations:  $\partial_t \tilde{E} + \partial_j \mathcal{F}^j = \text{sources}$  $\partial_t \tilde{F}_i + \partial_j \mathcal{P}_i^j = \text{sources}$  See Shibata et al. 2011, Foucart et al. 2015

#### Approximate closure

 $P^{\mu
u} = \alpha P^{\mu
u}_{\text{thick}} + (1 - \alpha) P^{\mu
u}_{\text{beam}}$ using optically thin/thick limits

<u>Sources include:</u> Curvature/redshift terms Emission/Absorption/Scattering

Improvement: Evolve number density.

See Foucart et al. 2016b

#### Impact of gray approximation

#### <u>Outflow composition (NSNS):</u> Impact of neutrino treatment



Images: Foucart et al., 2017

#### Beyond M1 : Monte-Carlo closure

To improve on the M1 closure, use a low-accuracy MC evolution to compute the closure! [Foucart et al. 2018]



#### MC vs M1 Closures

Foucart et al. in prep

#### P<sub>zz</sub>/E with MC closure

# Difference between MC and M1 closures



#### MC vs M1 Closures

Foucart et al. in prep

#### Neutrino pair annihilation:

Ratio of heating rates (MC/M1)

Specific heating rate (MC)



#### Conclusions

- Neutrino transport crucial to model kilonovae / maybe SGRBs
- Leakage schemes ok for qualitative dynamics of remnant, insufficient to study outflows
- Gray M1 schemes capture neutrino-driven outflows, Ye accuracy uncertain
- Pair annihilation deposits a lot of energy in polar regions, and requires knowledge of neutrino momenta
- Neutrinos are not the only hard part of the problem! MHD is an important issue for kilonova modeling, and the main issue in SGRB modeling!