

## Photon Transport Monte Carlo ([Note 7620](#))

- Review
  - Point response hypothesis
  - Response uniformity
- Pulse parameterization (1)
- Comparison with Monte Carlo
  - Variation of time with  $\beta$  and path length
- Pulse parameterization (2)
  - Variation of time with  $\beta$ , path length,  $\cot(\theta)$
- Other projections
- Summary

May 9, 2005

# Physical Pulse Model

- Point response hypothesis:
  - If  $f(t; \vec{x})$  is the response when all light is produced at point  $\vec{x}$  at time  $t$ , then the response from a track is:

$$F(t) = \int_0^s \frac{dQ}{ds} f(t - t_0 - s/\beta c, \vec{x}_0 + s\hat{u}) ds$$

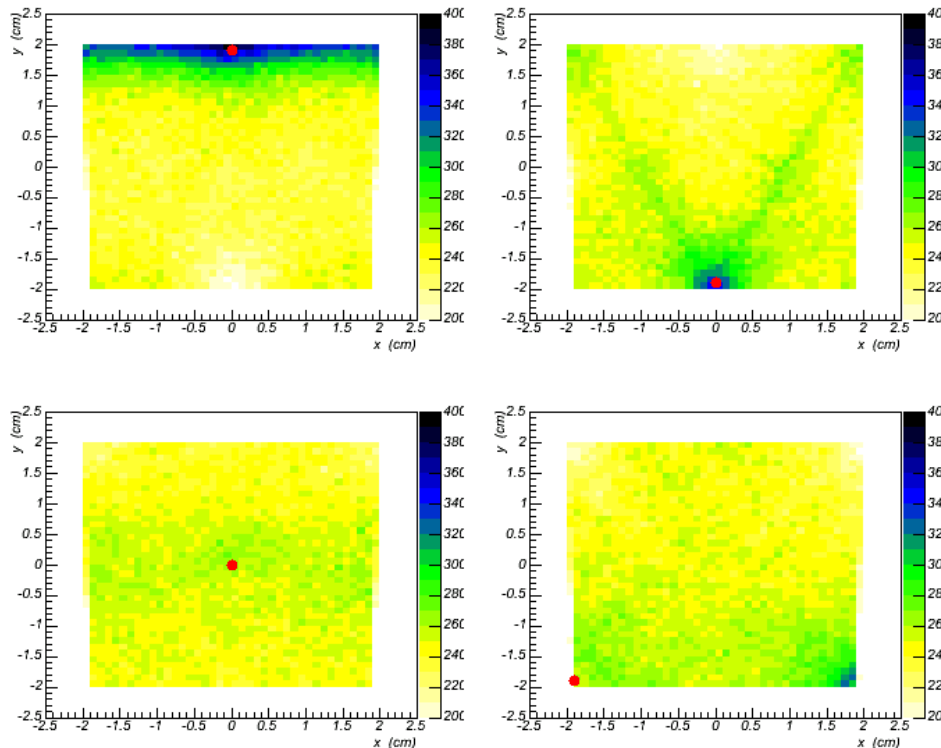
- Simplifying assumptions:
  - This time,  $dQ/ds$  is a constant.
  - Response factors into two parts:

$$f(t, \vec{x}) = Q(x, y, z) f'(t, z)$$

- Calculate both  $Q(x, y, z)$  and  $f'(t, z)$  using the Monte Carlo, parameterize for convenience.

# Light Acceptance

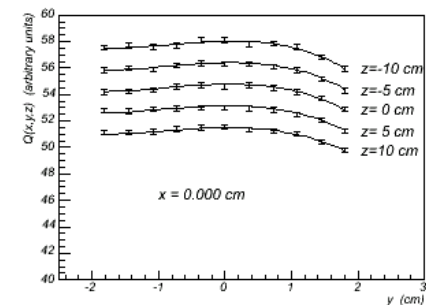
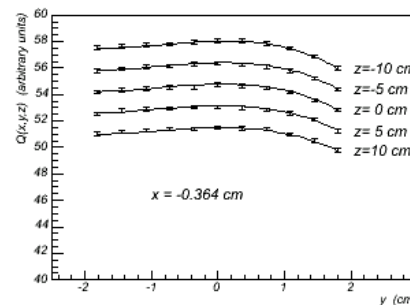
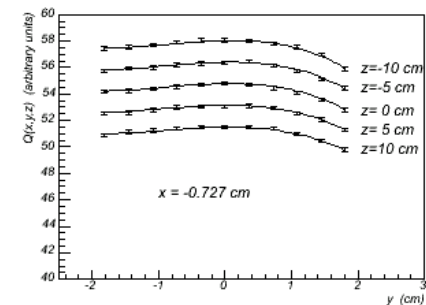
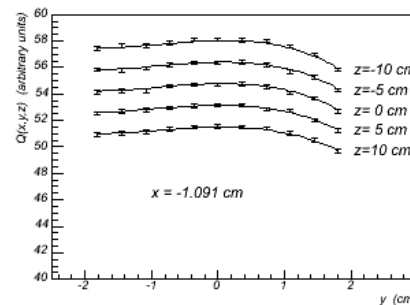
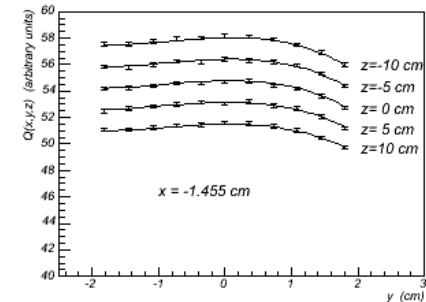
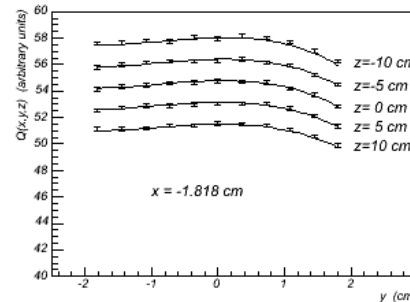
- Significant non-uniformities:



- Presumably, these can only be calculated using a photon transport Monte Carlo

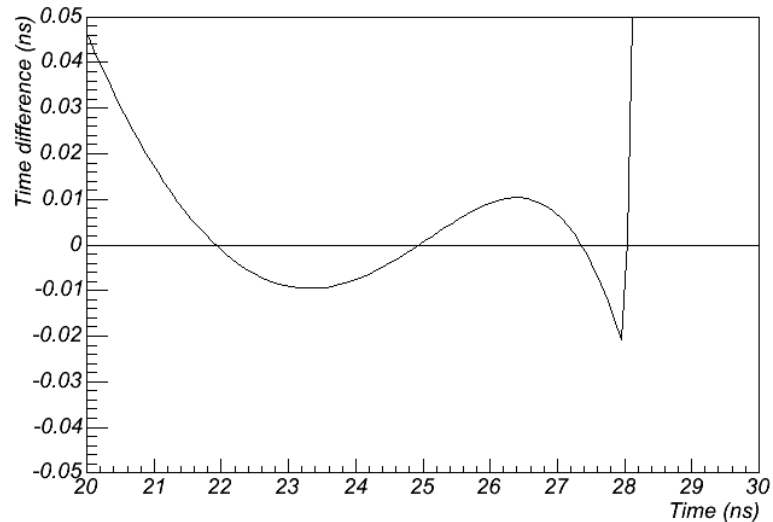
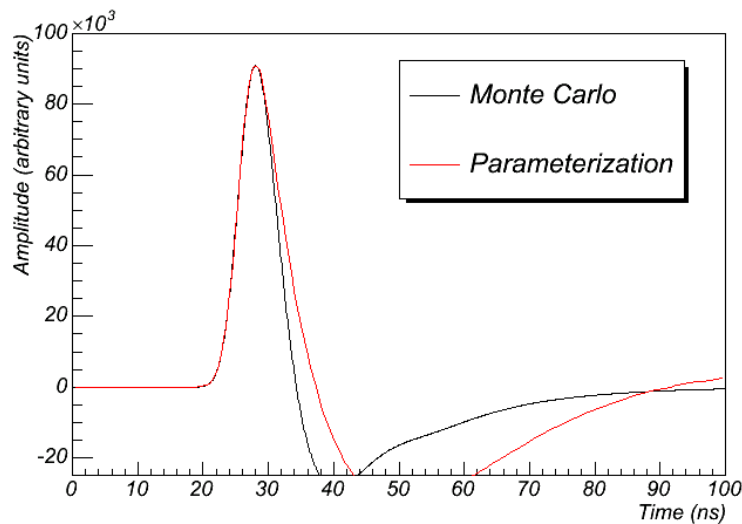
# Parameterization of $Q(x,y,z)$

- Possible to have large local variations.
- These get averaged out across the bar.
- Average variation is smooth.
- Dependence on  $x$  is very small.
- Fit with a polynomial:  
 $\chi^2/\text{dof} = 108/165$



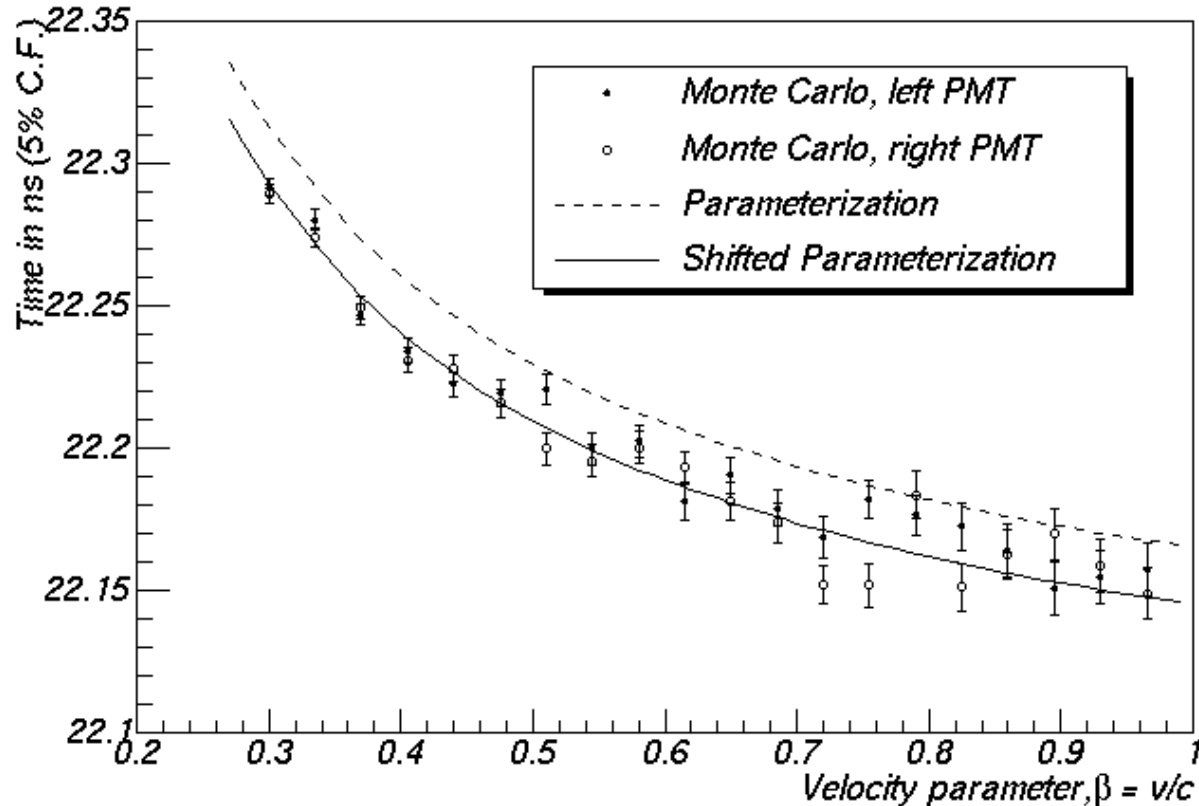
# Normalized Response (1)

- Average pulse over x,y at fixed z
- “Fit” using some analytic function (Gaussian + 3-pole shaping)
- Essentially, minimize Kolmogorov statistic over limited range in amplitude (1%-95%):



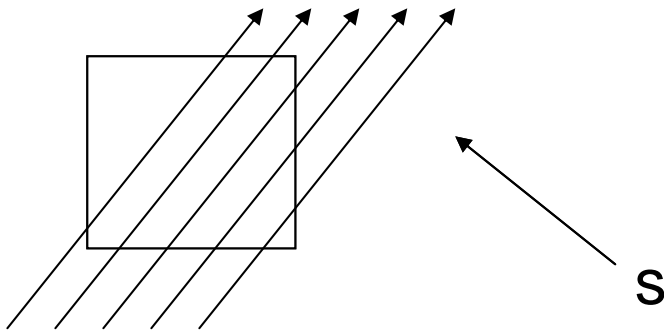
# Comparison with Monte Carlo

- First study: variation with speed,  $v=\beta c$
- Protons, perpendicular to bar at  $z=0$ :

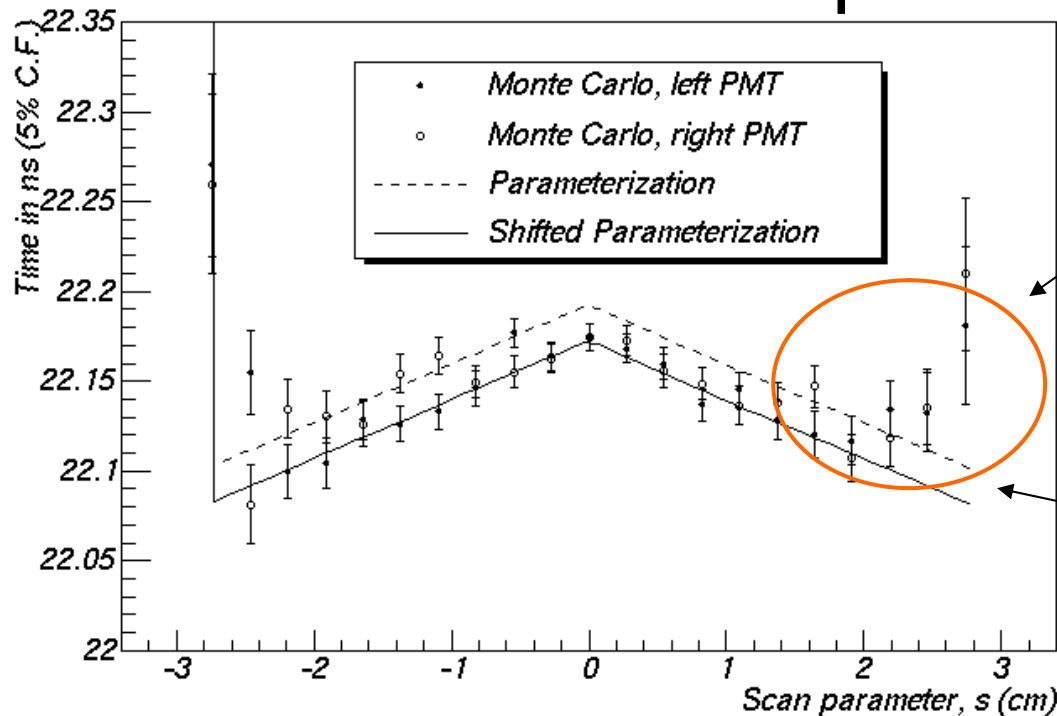


} ~20 ps offset  
removed by hand

# Variation with path length



- 2 GeV/c muons at  $z=0$ ,  $\cot(\theta)=0$
- Significant variation of path length with 's'



We'd probably never trigger on these pulses

Same ~20 ps shift

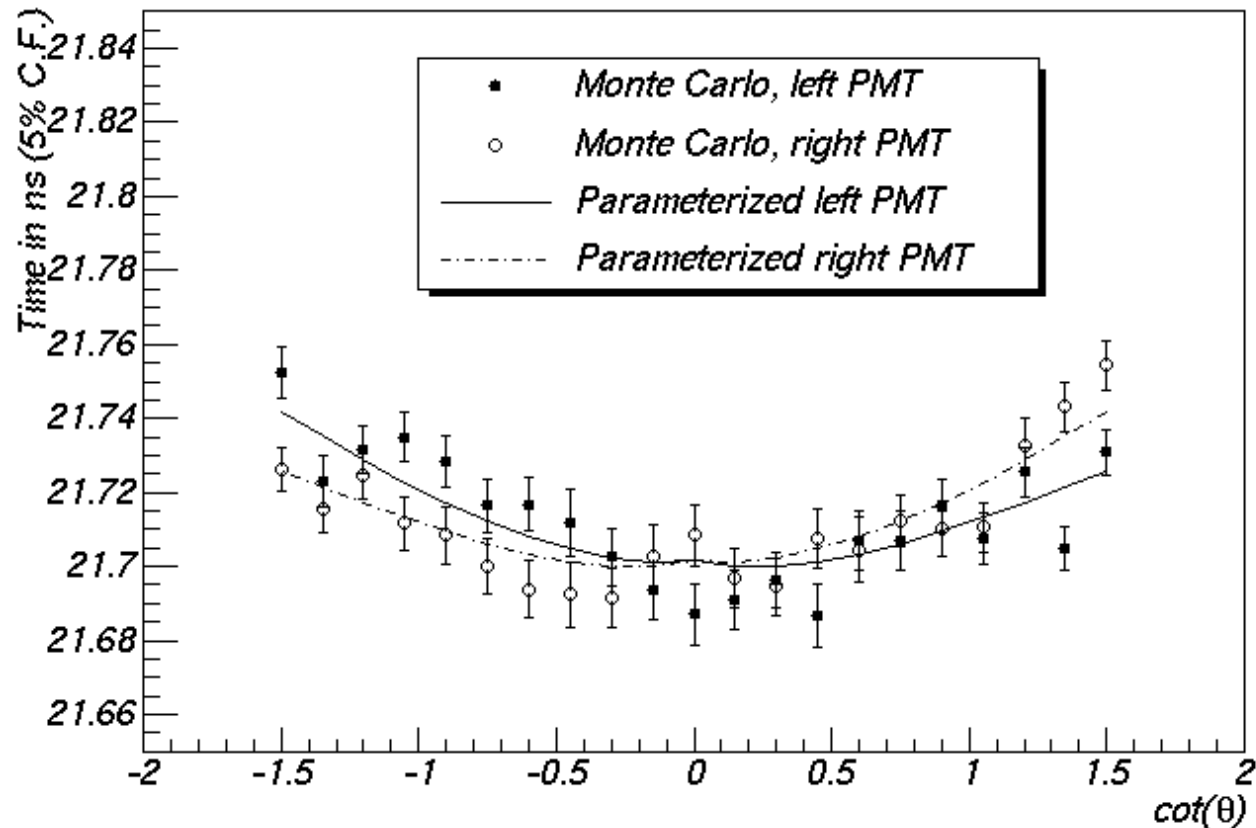
# Pulse Parameterization (2)

- To study variation in time with  $\cot(\theta)$  we need to extend the parameterization in  $z$ .
- Two approaches:
  - Parameterize normalized pulse at each  $z$  and interpolate parameters
  - Just interpolate between average pulse shape calculated with Monte Carlo
- This next study used second approach
- Not clear which is better as far as precision/speed/motivation is concerned.



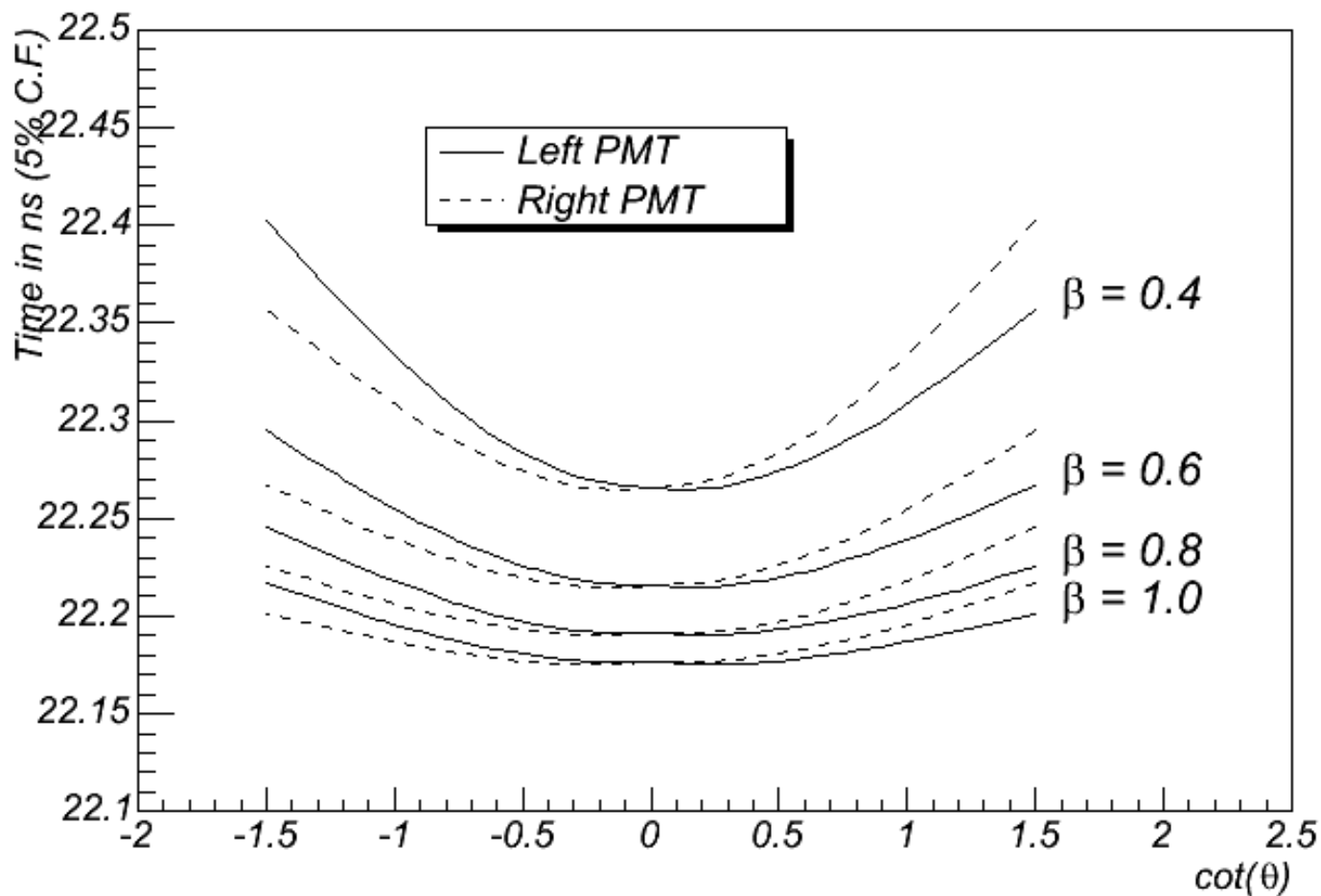
# Variation with $\cos(\theta)$

- 2 GeV/c muons, passing through the center of the bar ( $\vec{x} = (0, 0, 0)$ )



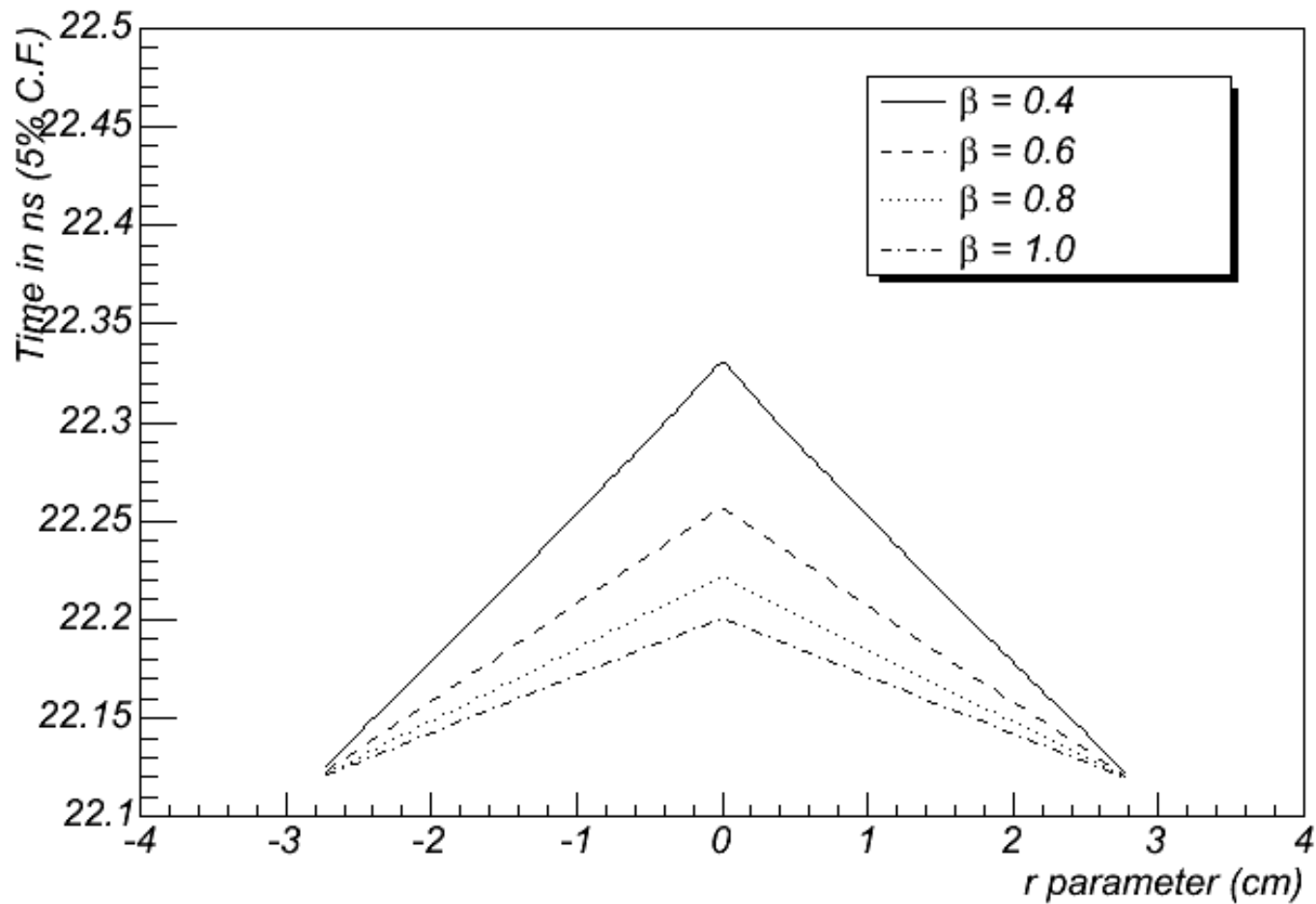
# More Track Configurations

- Variation with polar angle and velocity:



# More Track Configurations

- Variation with path length and velocity:



# Summary

- This model accurately reproduces all three sources of bias studied so far with no free parameters (well, except for the constant shift which might be a historical artifact.)
- This source of biases is now well understood.
- This model suggests a way to calibrate the detector that is intrinsically free of these sources of biases.
- Charge information not included yet – incorporate this next.

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